### **Nuclear Physics School 2013**



### **Neutrino Physics**

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## Part Three:

# Neutrino mass Phenomenology

Notice: I again strongly acknowledge Eligio Lisi for allowing me to use part of his presentations done in CHIPP PhD Winter School, Jan. 2013, Grindelwald, Switzerland

### Recap: 3v framework in just one slide (1 digit accuracy) Flavors = 😔 🛄 🐨



Knowns:  $\delta m^2 \sim 8 \times 10^{-5} eV^2$   $\Delta m^2 \sim 2 \times 10^{-3} eV^2$   $\sin^2 \theta_{12} \sim 0.3$   $\sin^2 \theta_{23} \sim 0.4$  $\sin^2 \theta_{13} \sim 0.02$  Unkowns:  $\delta$  (CP) sign( $\Delta m^2$ ) octant(sin<sup>2</sup> $\theta_{23}$ ) absolute mass scale Dirac/Majorana nature Oscillations constrain neutrino mixings and mass splittings but not the absolute mass scale.

E.g., can take the lightest neutrino mass as free parameter:



However, the lightest neutrino mass is not really an "observable" We know three realistic observables to attack v masses  $\rightarrow$ 

### The "weapon":

### One spear:

### Three prongs:



### The three prongs of the "trident": ( $m_{\beta}$ , $m_{\beta\beta}$ , $\Sigma$ )

 β decay: m<sup>2</sup><sub>i</sub> ≠ 0 can affect spectrum endpoint. Sensitive to the "effective electron neutrino mass":

$$m_{\beta} = \left[c_{13}^2 c_{12}^2 m_1^2 + c_{13}^2 s_{12}^2 m_2^2 + s_{13}^2 m_3^2\right]^{\frac{1}{2}}$$

2)  $0\nu\beta\beta$  decay: Can occur if  $m_i^2 \neq 0$  and  $\nu=\nu$  (Majorana, not Dirac) Sensitive to the "effective Majorana mass" (and phases):

$$m_{\beta\beta} = \left| c_{13}^2 c_{12}^2 m_1 + c_{13}^2 s_{12}^2 m_2 e^{i\phi_2} + s_{13}^2 m_3 e^{i\phi_3} \right|$$

3) Cosmology: m<sup>2</sup><sub>i</sub> ≠ 0 can affect large scale structures in (standard) cosmology constrained by CMB + other data. Sensitive to:

$$\Sigma = m_1 + m_2 + m_3$$

### Tritium: low-Q, fast decays

### tritium ß-decay and the neutrino rest mass

 $^{3}H \rightarrow ^{3}He + e^{-} + \bar{\nu}_{e}$ 

half life :  $t_{1/2}$  = 12.32 a  $\beta$  end point energy :  $E_0$  = 18.57 keV



Need good energy resolution

For just one (electron) neutrino family: sensitivity to  $m^2(v_e)$  (obsolete)

For three neutrino families  $v_i$ , and individual masses experimentally <u>unresolved</u> in beta decay: sensitivity to the sum of  $m^2(v_i)$ , weighted by squared mixings  $|U_{ei}|^2$  with the electron neutrino. Observable:

$$m_{\beta} = \left[c_{13}^2 c_{12}^2 m_1^2 + c_{13}^2 s_{12}^2 m_2^2 + s_{13}^2 m_3^2\right]^{\frac{1}{2}}$$

(so-called "effective electron neutrino mass")

Note: mass state with largest electron flavor component is  $v_1$ :  $|U_{e1}|^2 \approx \cos^2\theta_{12} \approx 0.7$ ... and we can't exclude that  $v_1$  is ~massless in normal hierarchy.

### History plot for tritium



Latest bounds at the level of ~2 eV

### In construction: KATRIN experiment



### Magnetic Adiabatic Collimation with an Electrostatic Filter

### Probably the "ultimate" spectrometer of this kind....



### **KATRIN** sensitivity



Mainz + Troitsk:  $\mathbf{m}_{\beta} < 2 \text{ eV}$ KATRIN: O(10) improvement

Examples of prospective results at KATRIN ( $\pm 1\sigma$ , [eV]):

 $m_{\beta} = 0.35 \pm 0.07$  (5 $\sigma$  discovery)

 $m_{\beta} = 0.30 \pm 0.10$  (3 $\sigma$  evidence)

 $m_{\beta} = 0 \pm 0.12$  (<0.2 at 90% CL)

[Need new ideas to go below ~0.2 eV]

### Neutrinoless double beta decay: $(A,Z) \rightarrow (A,Z+2)+2e$



### Can occur only for Majorana neutrinos. Intuitive picture:

A RH antineutrino is emitted at point "A" together with an electron
 If it is massive, at O(m/E) it develops a LH component (not possible if Weyl)
 If neutrino=antineutrino, this component is a LH neutrino (not possible if Dirac)
 The LH (Majorana) neutrino is absorbed at "B" where a 2nd electron is emitted

[EW part is "simple". Nuclear physics part is rather complicated and uncertain.]

### Warning: previous expression invalid for nonstandard $0\nu\beta\beta$ decays



Experimentally: Look at sum energy of both electrons Need to see the  $0_{\nu\beta\beta}$  line emerge above bkgd, at endpoint of spectrum from "conventional"  $2_{\nu\beta\beta}$  decay.





### What sets the uncertainty of $m_{\beta\beta}$ ?

In case of positive signal, a major concern is the accuracy of the **nuclear matrix element** [M], rather than the expt. uncertainty on the decay half life:





7.0 6.0 5.0 Luckily, independent nuclear physics models converge better than it could be hoped only a few years ago ...

... especially when using the same theo. inputs for comparison (e.g, same description of short range nucleon repulsion) and exploiting additional data **BUT: errors remain large** for each candidate nucleus.

from: Simkovic



 $0_{V\beta\beta}$  search: No signal observed so far, except in the most sensitive experiment to date (Heidelberg-Moscow):  $6\sigma$  signal claimed by (part of) the experimental collaboration. Still hotly debated.



H.V. Klapdor-Kleingrothaus et al. Phys. Lett. B 586 (2004) 198-212 Nucl. Instr. Meth. A 522 (2004) 371 - 406

### **Claim** versus current limits (in terms of Majorana mass)



### **Claim versus current limits (in terms of half-life)**



[Claim partly disfavored by EXO + KamLAND-Zen data]

### **Cosmology:** a "modern" probe

Standard big bang cosmology predicts a relic neutrino background with total number density 336/cm<sup>3</sup> and temper. T<sub>v</sub> ~ 2 K ~ 1.7 x 10<sup>-4</sup> eV <<  $\sqrt{\delta m^2}$ ,  $\sqrt{\Delta m^2}$ .

 $\rightarrow$ At least two relic neutrino species are nonrelativistic today (we can't exclude the lightest to be ~massless)

→Their total mass contributes to the normalized energy density as  $\Omega_v \approx \Sigma / 50 \text{ eV}$ , where

$$\Sigma = m_1 + m_2 + m_3$$

→So, if we just impose that neutrinos do not saturate the total matter density,  $\Omega_v < \Omega_m \approx 0.25$ , we get

m<sub>i</sub> < 4 eV – not bad!

Much better bounds can be derived from neutrino effects on structure formation.

Massive neutrinos are difficult to cluster because of their relatively high velocities: they suppress matter fluctuations on scales smaller than their mass-dependent free-streaming scale.

→ Get mass-dependent suppression of small-scale structures



(E..g., Ma 1996)

### Constraints from CMB also help removing degeneracies.

### **Observations:**

Spectra:



**CMB** 







### Spectral effect of massive neutrinos (e.g., from Y.Y.Y. Wong)



Significant progress after WMAP and recent galaxy surveys

Just an example of recent limits on the sum of  $\nu$  masses from various data sets (assuming the "flat  $\Lambda$ CDM model"): [from latest WMAP-9y data release, dec. 2012]

Parameter	WMAP	+eCMB	+eCMB+BAO	$+eCMB+BAO+H_0$	
New parameter	2				
$\sum m_{ u}  ({ m eV})$	< 1.3 (95%  CL)	< 1.5 (95%  CL)	< 0.56 (95%  CL)	< 0.44 (95%  CL)	
Related param	eters				
$\sigma_8$	$0.706^{+0.077}_{-0.076}$	$0.660^{+0.066}_{-0.061}$	$0.750^{+0.044}_{-0.042}$	$0.770 \pm 0.038$	
$\Omega_c h^2$	$0.1157^{+0.0048}_{-0.0047}$	$0.1183 \pm 0.0044$	$0.1133 \pm 0.0026$	$0.1132 \pm 0.0025$	
$\Omega_{\Lambda}$	$0.641^{+0.065}_{-0.068}$	$0.586^{+0.080}_{-0.076}$	$0.695 \pm 0.013$	$0.707 \pm 0.011$	
$10^9\Delta_{\mathcal{R}}^2$	$2.48\pm0.12$	$2.59\pm0.12$	$2.452^{+0.075}_{-0.074}$	$2.438 \pm 0.074$	
$n_{s}$	$0.962 \pm 0.016$	$0.947 \pm 0.014$	$0.9628 \pm 0.0086$	$0.9649^{+0.0085}_{-0.0083}$	

In general, upper limits range from: <u>"conservative</u>" (only CMB data, dominated by WMAP 9y), <1.2 eV to: <u>"aggressive</u>" (all relevant cosmological data), <0.2 eV

Intermediate upper limits around  $\Sigma < 0.6$  eV have gained large consensus. More stringent limits require more "faith" in current control of syst.'s.

### After Planck (march 2013) arXiv:1303.5076



	Planck+WP		Planck+WP+BAO		Planck+WP+highL		Planck+WP+highL+BAO	
Parameter	Best fit	95% limits	Best fit	95% limits	Best fit	95% limits	Best fit	95% limits
Ω <sub>κ</sub>	-0.0105	$-0.037^{+0.043}_{-0.049}$	0.0000	$0.0000^{+0.0066}_{-0.0067}$	-0.0111	$-0.042^{+0.043}_{-0.048}$	0.0009	$-0.0005^{+0.0065}_{-0.0066}$
$\Sigma m_{\nu} [eV] \ldots \ldots$	0.022	< 0.933	0.002	< 0.247	0.023	< 0.663	0.000	< 0.230
<i>N</i> <sub>eff</sub>	3.08	$3.51_{-0.74}^{+0.80}$	3.08	3.40 <sup>+0.59</sup> -0.57	3.23	$3.36^{+0.68}_{-0.64}$	3.22	$3.30_{-0.51}^{+0.54}$
<i>Y</i> <sub>P</sub>	0.2583	$0.283^{+0.045}_{-0.048}$	0.2736	$0.283^{+0.043}_{-0.045}$	0.2612	$0.266^{+0.040}_{-0.042}$	0.2615	$0.267^{+0.038}_{-0.040}$
$dn_{\rm s}/d\ln k\ldots$	-0.0090	$-0.013^{+0.018}_{-0.018}$	-0.0102	$-0.013^{+0.018}_{-0.018}$	-0.0106	$-0.015^{+0.017}_{-0.017}$	-0.0103	$-0.014^{+0.016}_{-0.017}$
<i>r</i> <sub>0.002</sub>	0.000	< 0.120	0.000	< 0.122	0.000	< 0.108	0.000	< 0.111
w	-1.20	$-1.49^{+0.65}_{-0.57}$	-1.076	$-1.13^{+0.24}_{-0.25}$	-1.20	$-1.51^{+0.62}_{-0.53}$	-1.109	$-1.13^{+0.23}_{-0.25}$

**Table 10.** Constraints on one-parameter extensions to the base  $\Lambda$ CDM model. Data combinations all include *Planck* combined with *WMAP* polarization, and results are shown for combinations with high- $\ell$  CMB data and BAO. Note that we quote 95% limits here.

### The trident... in action



$$m_{\beta} = \left[c_{13}^2 c_{12}^2 m_1^2 + c_{13}^2 s_{12}^2 m_2^2 + s_{13}^2 m_3^2\right]^{\frac{1}{2}}$$
$$m_{\beta\beta} = \left|c_{13}^2 c_{12}^2 m_1 + c_{13}^2 s_{12}^2 m_2 e^{i\phi_2} + s_{13}^2 m_3 e^{i\phi_3}\right|$$
$$\Sigma = m_1 + m_2 + m_3$$

Interplay: Oscillations fix the mass<sup>2</sup> splittings, and thus induce positive correlations between any pair of the three observables ( $m_{\beta}$ ,  $m_{\beta\beta}$ ,  $\Sigma$ ), e.g.:



i.e., if one observable increases, the other one (typically) must increase to match mass splitting

### Generic expectations: In the absence of new physics (beyond $3\nu$ masses and mixing), any two data among (m<sub>β</sub>, m<sub>ββ</sub>, $\Sigma$ ) are expected to cross the oscillation band



This requirement provides either an important consistency check or, if not realized, an indication for new physics (barring expt mistakes) → Data accuracy/reliability/redundance are crucial The "spear" (oscill. data) sets the "hunting direction" in the  $(m_{\beta}, m_{\beta\beta}, \Sigma)$  parameter space:



**Footnote 1** - Slightly thinner bands in recent years (progress in oscillation parameters). Majorana phase uncertainty remains dominant in sub-plots with  $m_{\beta\beta}$ .

![](_page_31_Figure_1.jpeg)

![](_page_31_Figure_2.jpeg)

"Moore's law" in this field: factor of ~10 improvement every ~15 years

![](_page_32_Figure_1.jpeg)

### Such "logarithmic progress" seems to be:

- maybe slowing for  $\beta$  decay (after KATRIN)
- continuing for  $0v2\beta$  decay
- "accelerating" for cosmology: the only probe where the ultimate goal ( $\Sigma_{min} = \sqrt{\Delta m^2} \approx 0.05 \text{ eV}$ ) is claimed to be reachable

You have good chances to see first successful results within your career!

β decay: need new ideas to go beyond KATRIN (calorimetry?). Very far future ... a possible observation of the relic neutrino bkgd ?

![](_page_34_Figure_1.jpeg)

Table 4. Details of the most advanced experiments. Given are life-time sensitivity and the expected limit on  $\langle m_{ee} \rangle$ , using the NME compilation from figure 5. Note that the range of nuclear matrix elements leads to a range for the expected sensitivity on  $\langle m_{ee} \rangle$ .

### Double-beta decay: Progress expected from many experiments in the next decade:

#### (from Rodejohann 2012)

... might cover the whole range for inverted hierarchy:

Experiment	Isotope	Mass [kg]	Sensitivity $T_{1/2}^{0\nu}$ [yrs]	Status	Start of data-taking	Sensitivity $\langle m_{\nu} \rangle  [\text{eV}]$
GERDA	$^{76}\mathrm{Ge}$	18	$3 imes 10^{25}$	running	$\sim 2011$	0.17-0.42
		40	$2 imes 10^{26}$	construction	$\sim 2012$	0.06-0.16
		1000	$6 imes 10^{27}$	R&D	$\sim 2015$	0.012-0.030
CUORE	$^{130}\mathrm{Te}$	200	$6.5 imes10^{26*}$	construction	$\sim 2013$	0.018-0.037
			$2.1\times10^{26**}$			0.03-0.066
MAJORANA	$^{76}\mathrm{Ge}$	30-60	$(1-2)  imes 10^{26}$	construction	$\sim 2013$	0.06-0.16
		1000	$6 imes 10^{27}$	R&D	$\sim 2015$	0.012 - 0.030
EXO	$^{136}\mathrm{Xe}$	200	$6.4 imes10^{25}$	running	$\sim 2011$	0.073-0.18
		1000	$8 imes 10^{26}$	R&D	$\sim 2015$	0.02-0.05
SuperNEMO	$^{82}\mathrm{Se}$	100-200	$(1-2)  imes 10^{26}$	R&D	$\sim$ 2013-15	0.04-0.096
KamLAND-Zen	$^{136}\mathrm{Xe}$	400	$4 imes 10^{26}$	running	$\sim 2011$	0.03-0.07
		1000	$10^{27}$	R&D	$\sim$ 2013-15	0.02 - 0.046
SNO+	$^{150}\mathrm{Nd}$	56	$4.5 imes10^{24}$	construction	$\sim 2012$	0.15 - 0.32
		500	$3 imes 10^{25}$	R&D	$\sim 2015$	0.06-0.12

![](_page_35_Figure_5.jpeg)

### With "dreamlike" data one could, e.g.

![](_page_36_Figure_1.jpeg)

But the available data do not yet lead to definite conclusions. Beta decay: no yet very constraining. Double beta vs cosmology: different possibilities. E.g.,

### Cosmo-"aggressive"

![](_page_37_Figure_2.jpeg)

The tighest cosmo bounds are not compatible with Klapdor's claim. Then, either one of the two is wrong, or there is new physics beyond the standard model (of particle physics and/or of cosmology)

### Cosmo-"conservative"

![](_page_38_Figure_1.jpeg)

The safest cosmo bounds can be made compatible with Klapdor' s claim, with no new physics required. Then, the combination of data (black wedge) would prefer degenerate neutrino masses, ~few x 10<sup>-1</sup> eV Let's entertain the possibility that the "true" answer is just at or around the corner... For instance, that neutrinos are Majorana, with nearly degenerate and relatively large masses:

 $m_1 \sim m_2 \sim m_3 \sim 0.2 \text{ eV}$ .

Then we might reasonably hope to observe soon all three nonoscillation signals in current/next generation experiments, e.g.,

$$egin{array}{rcl} m_{etaeta}&\simeq&0.2(1\pm0.3)~{
m eV}\ \Sigma&\simeq&0.6(1\pm0.3)~{
m eV}\ m_eta&\simeq&0.2(1\pm0.5)~{
m eV} \end{array}$$

in which case...

...The absolute neutrino mass would be established within ~25% uncertainty, and one Majorana phase ( $\phi_2$ ) would be constrained...

![](_page_40_Figure_1.jpeg)

### Present constraints and future sensitivities...

![](_page_41_Figure_3.jpeg)

![](_page_42_Picture_0.jpeg)

#### Fundamental physics

- Oscillation phenomenology
- Direct mass searches
- Mass and mixing models
- · Number of families and origin of flavor
- Non-standard, physics beyond SM, sterile states
- Lepton flavor violations
- Non hamiltonian propagation (decoherence) test of QM and QFT (CPTinvariance)
- Neutrinos and extra- dimensions
- Nuclear physics, coherent scattering

#### "Technological" application (SciFi???)

- Monitoring of power plants and nuclear proliferation
- Geological probes and earthquake forecast
- Communication (i.e. with submarines)
- Communication with extraterrestrial civilizations...

#### Cosmology

- Role of neutrinos in structure formation
- "Cosmological" measurements of neutrino
   masses
- Primordial nucleosynthesis
- Lepto-bariogenesys
- Direct and indirect detection of primordial (Big Bang) neutrinos
  - terile neutrinos as Dark Matter
  - Peutrinos and Dark Energy (MaVaNs)

ndirect detection of Dark Matter annihilation, DM decay in neutrinos…)

#### ophysics and geophysics

- Solar and stellar neutrinos
- Role of neutrinos in SuperNova explosion and detection of SN neutrinos
- "Secondary" sources (atmospheric neutrinos, solar flares neutrinos etc.)
- Sources of galactic and Extragalactic High Energy (GRB, Blazars).neutrinos
- Geo-neutrinos