

Nuclear Physics School 2013



Neutrino Physics

Daniele Montanino

Università del Salento & INFN

daniele.montanino@le.infn.it

Part Two:

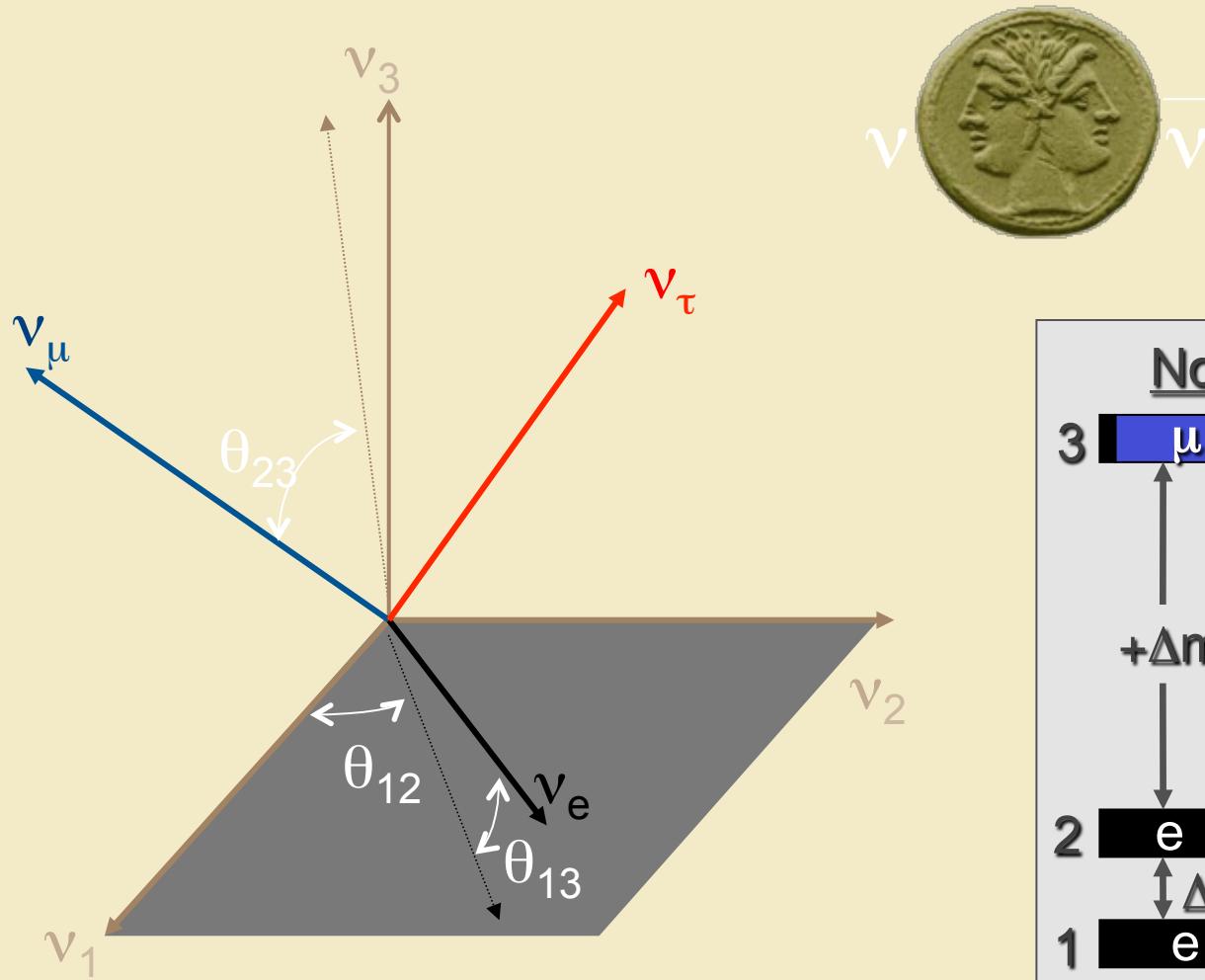
Oscillation

Phenomenology

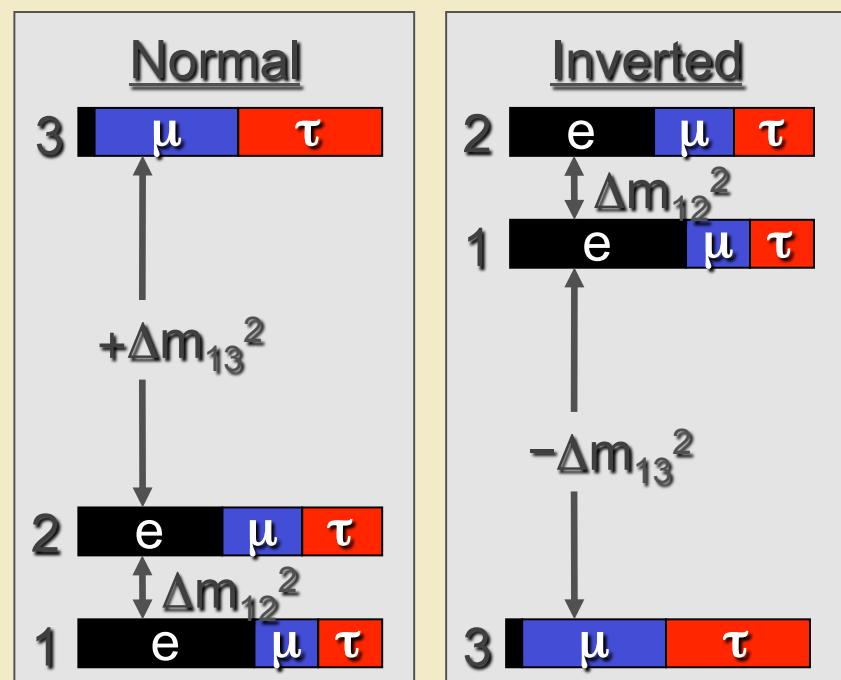
Notice: I strongly acknowledge Eligio Lisi for allowing me to use part of his presentations done in CHIPP PhD Winter School, Jan. 2013, Grindelwald, Switzerland

Neutrino mass spectrum and mixing

$$\begin{pmatrix} \nu_e \\ \nu_\mu \\ \nu_\tau \end{pmatrix} = \begin{bmatrix} 1 & & \\ & \cos \theta_{23} & -\sin \theta_{23} \\ & \sin \theta_{23} & \cos \theta_{23} \end{bmatrix} \cdot \begin{bmatrix} \cos \theta_{13} & -e^{i\delta_{CP}} \sin \theta_{13} & 1 \\ e^{i\delta_{CP}} \sin \theta_{13} & \cos \theta_{13} & 1 \end{bmatrix} \cdot \begin{bmatrix} \cos \theta_{12} & -\sin \theta_{12} & 1 \\ \sin \theta_{12} & \cos \theta_{12} & 1 \end{bmatrix} \cdot \begin{bmatrix} e^{i\varphi_1} & & \\ & e^{i\varphi_2} & \\ & & 1 \end{bmatrix} \cdot \begin{pmatrix} \nu_1 \\ \nu_2 \\ \nu_3 \end{pmatrix}$$



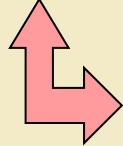
$\varphi_{1,2}$ are “physical” only if neutrinos are Majorana particles. Anyway they are unobservable in oscillation experiments



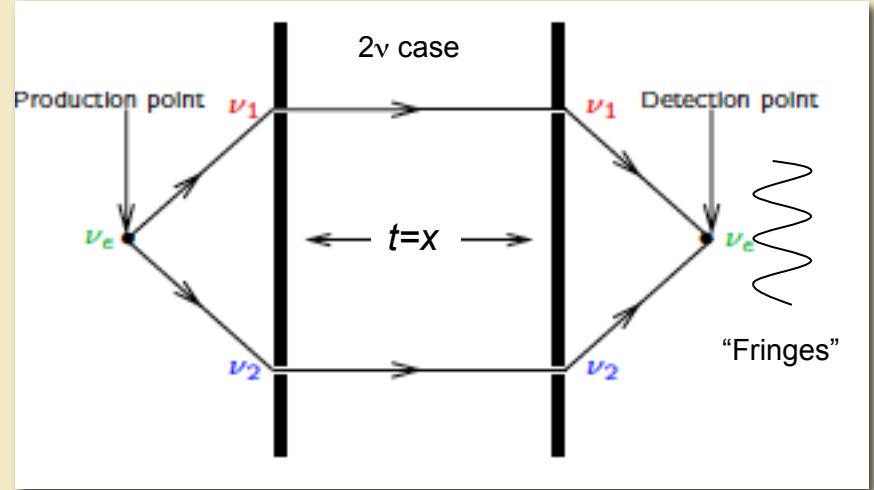
Flavor oscillations

Each mass eigenstate propagates in a different way

$$i \frac{d}{dx} \nu_i = E_i \nu_i = \sqrt{p^2 + m_i^2} \nu_i \cong \left(p + \frac{m_i^2}{2E} \right) \nu_i$$



$$i \frac{\partial}{\partial x} \begin{pmatrix} \nu_e \\ \nu_\mu \end{pmatrix} = \frac{U_\theta M^2 U_\theta^T}{2E} \begin{pmatrix} \nu_e \\ \nu_\mu \end{pmatrix}$$



2ν case:

$$P(\nu_\alpha \rightarrow \nu_\beta; x) = \sin^2 2\theta \sin^2 \left(\frac{\Delta m^2 x}{4E_\nu} \right)$$

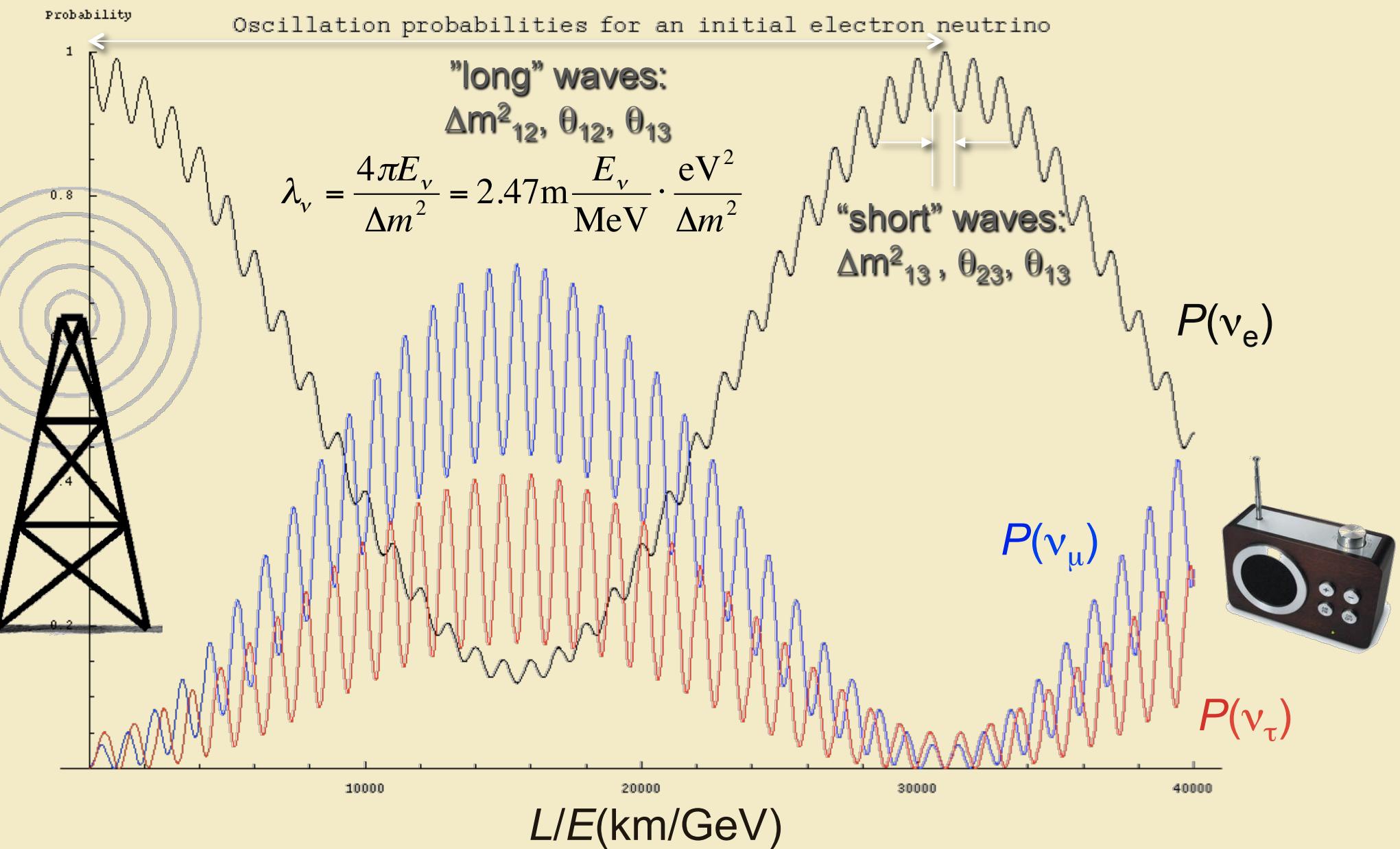
≥3ν case:

$$P(\nu_\alpha \rightarrow \nu_\beta; x) = \delta_{\alpha\beta} - 4 \sum_{k>j} \Re \left[U_{\alpha j} U_{\beta j}^* U_{\alpha k}^* U_{\beta k} \right] \sin^2 \left(\frac{\Delta m_{jk}^2 x}{4E_\nu} \right) \quad \leftarrow \text{CP even}$$

$$+ 4 \sum_{k>j} \Im \left[U_{\alpha j} U_{\beta j}^* U_{\alpha k}^* U_{\beta k} \right] \sin \left(\frac{\Delta m_{jk}^2 x}{4E_\nu} \right) \quad \leftarrow \text{CP odd}$$

reverse the sign for antineutrinos

Flavor oscillations



One mass scale dominance

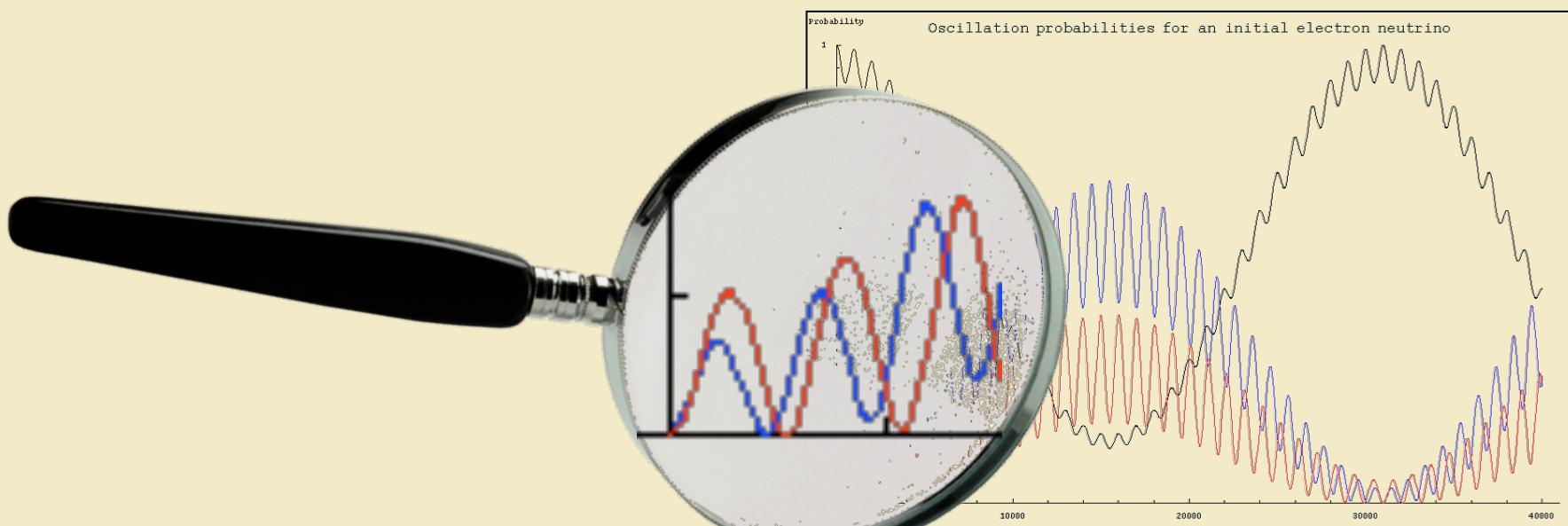
It is almost impossible to observe both “wavelength” in a single experiment. In practice for each experiment only one scale of mass is dominant. For example when (“short” waves)

$$\frac{\Delta m_{23}^2 x}{4E} \sim O(1), \quad \frac{\Delta m_{12}^2 x}{4E} \ll 1$$

(high energy and/or or short baseline) oscillation probability can be written as

$$P_{\alpha\alpha} \simeq 1 - 4|U_{\alpha 3}|^2(1 - |U_{\alpha 3}|^2) \sin^2 \frac{\Delta m_{23}^2 x}{4E}$$

$$P_{\alpha\beta} \simeq 4|U_{\alpha 3}|^2|U_{\beta 3}|^2 \sin^2 \frac{\Delta m_{23}^2 x}{4E} \quad (\beta \neq \alpha)$$



One mass scale dominance

Previous formulae is similar to those of 2ν case but with the identification

$$\sin^2 \theta \equiv |U_{\alpha 3}|^2, \quad (\nu_\alpha \rightarrow \nu_\alpha)$$

$$\sin^2 2\theta \equiv 4|U_{\alpha 3}|^2 |U_{\beta 3}|^2, \quad (\nu_\alpha \rightarrow \nu_\beta)$$

Oscillation experiments are often analyzed in term of two generations. However, with the previous identifications the results can be interpreted in term of 3 generations.

One mass scale dominance

Conversely, the opposite regime is (long waves)

$$\frac{\Delta m_{23}^2 x}{4E} \gg 1, \quad \frac{\Delta m_{12}^2 x}{4E} \sim O(1)$$

(low energy and/or long baseline). Normally this regime has interest only for low energy electron neutrinos (KamLand experiment). In this case the “fast” oscillations can be “averaged” yielding

$$P_{ee} = c_{13}^4 \left[1 - \sin^2 2\theta_{12} \frac{\Delta m_{12}^2 x}{4E} \right] + s_{13}^4$$

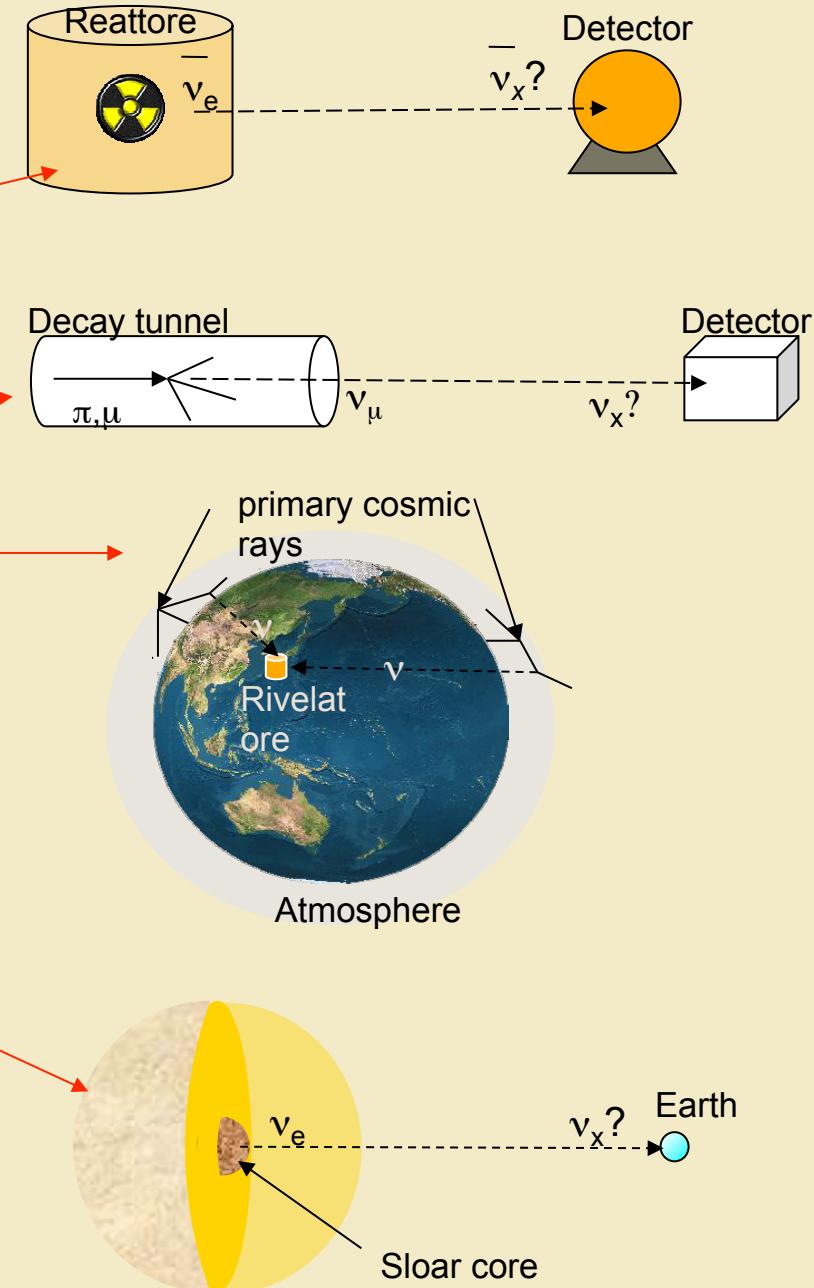
For (low energy) solar neutrinos, when matter effects are dominant, it can be shown that one mass scale dominance is also effective. In particular, the average on the “fast” oscillations yield

$$P_{ee} = c_{13}^4 P^{2\nu}(\Delta m_{12}^2, \theta_{12})|_{N_e \rightarrow N_e c_{13}^2} + s_{13}^4$$

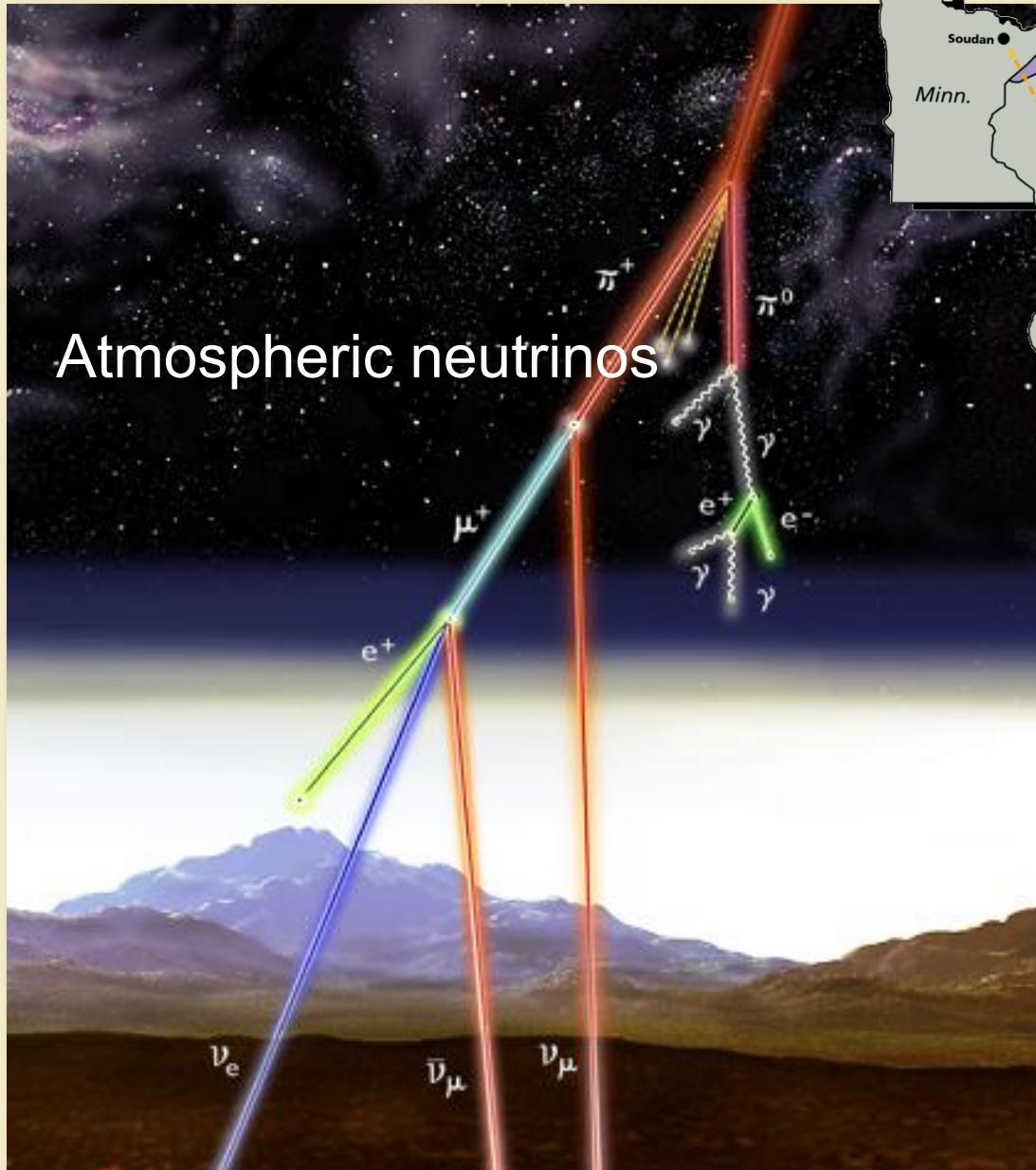
hereafter $\delta m^2 \equiv \Delta m_{12}^2, \quad \Delta m^2 \equiv \Delta m_{13}^2$

Sources of neutrinos

Main neutrino sources		
Origin	Source	E_ν
"Terrestrial"	Artificial	
	Reactors	$\sim 0(\text{MeV})$
	Accelerator	$\geq 1\text{GeV}$
	Atmspheric	$1 \div 100\text{GeV}$
"Astrophysical"	Geoneutrinos	$\leq 2\text{MeV}$
	Solar	$0 \div 15\text{MeV}$
	Type II supernovae	$0 \div 30\text{MeV}$
"Cosmic"	Very High Energy (GRB's Blazars etc.)	$\gg 100\text{GeV}$
	Primordial (Big Bang)	$<< 1\text{eV}$



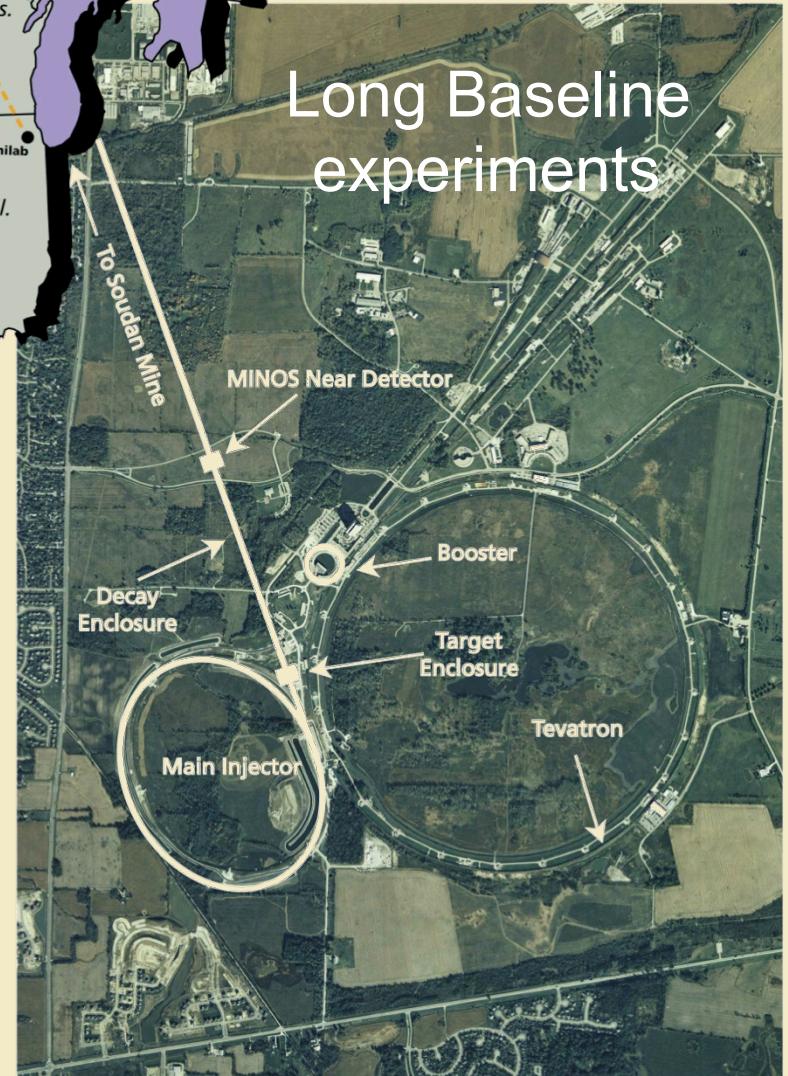
Tuning on short waves ($E \sim \text{GeV}$)...



Atmospheric neutrinos

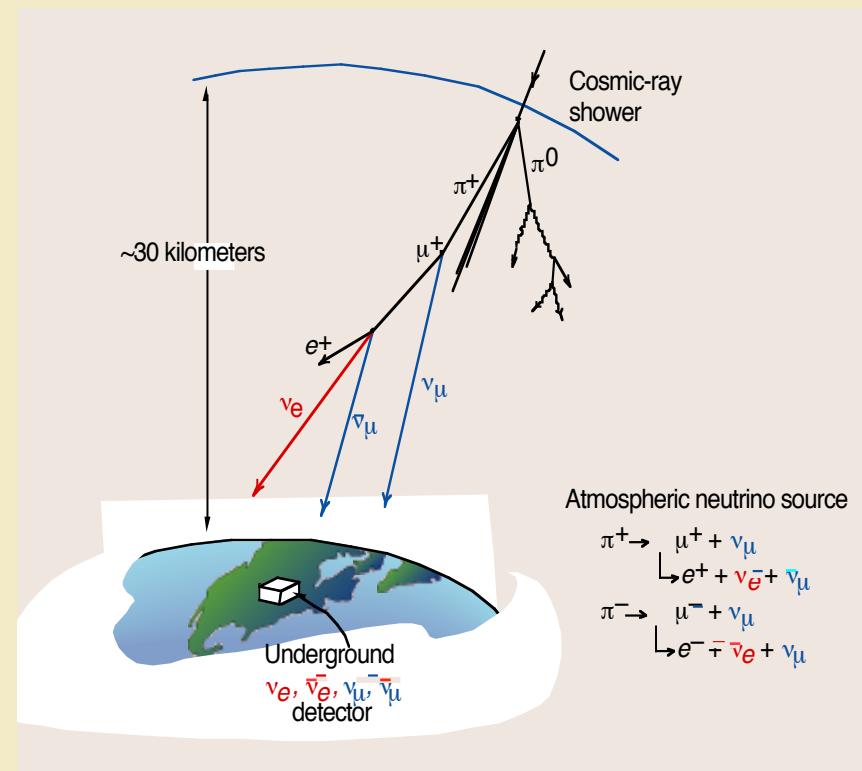
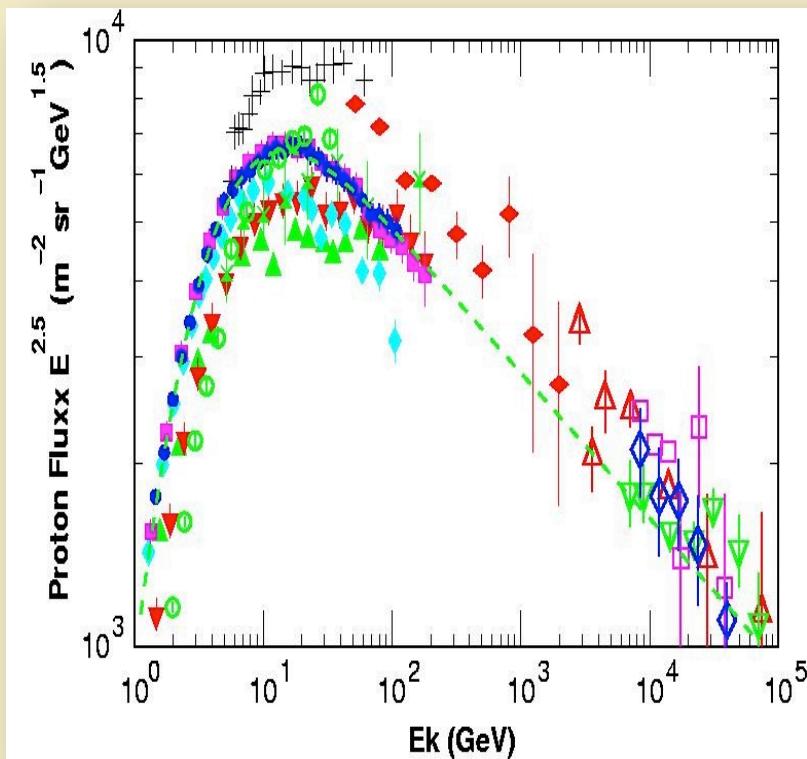


Long Baseline experiments



Atmospheric neutrinos

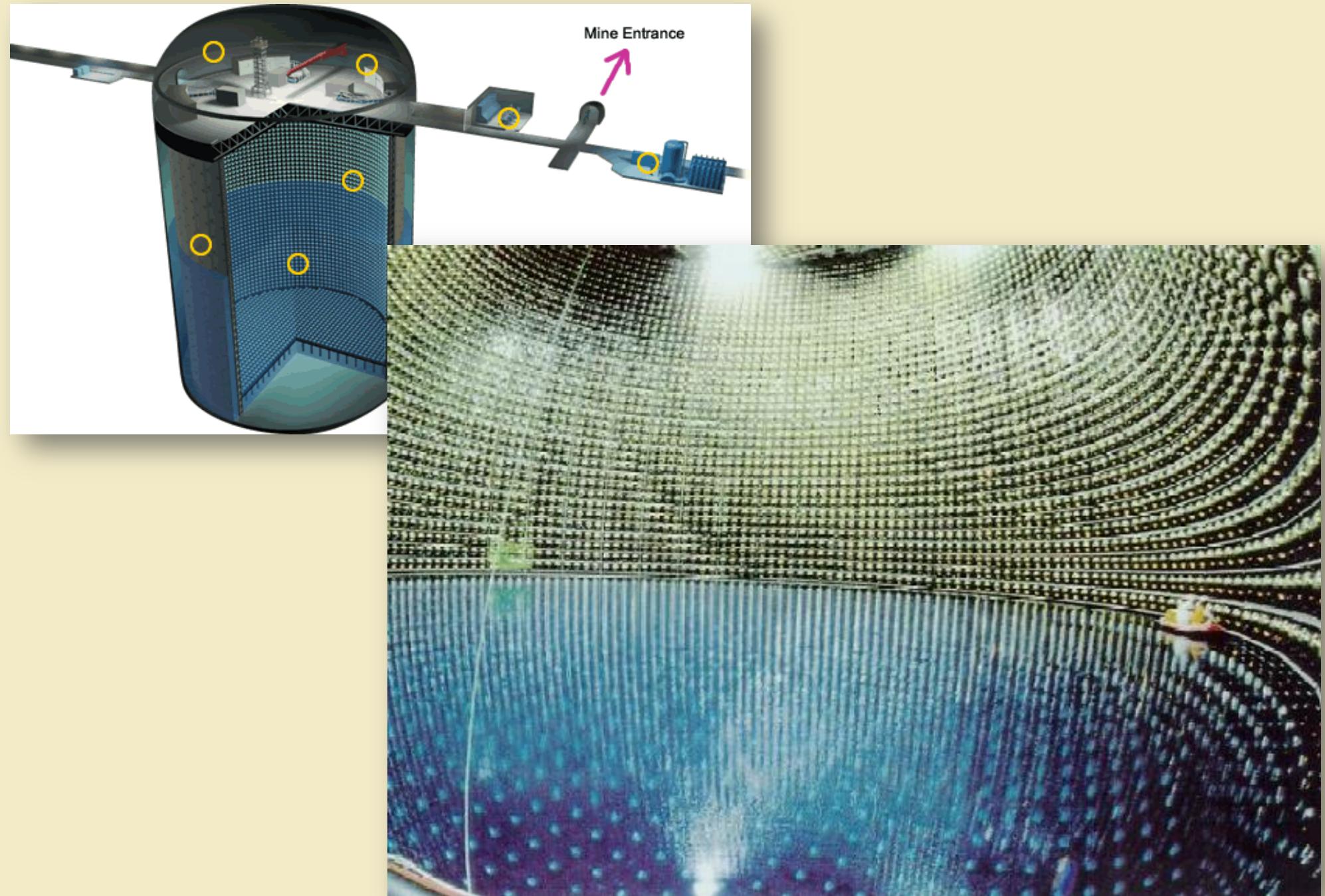
Cosmic rays hitting the atmosphere can generate secondary (anti)neutrinos with electron and muon flavor via meson decays.



Primary flux affected by large normalization uncertainties...

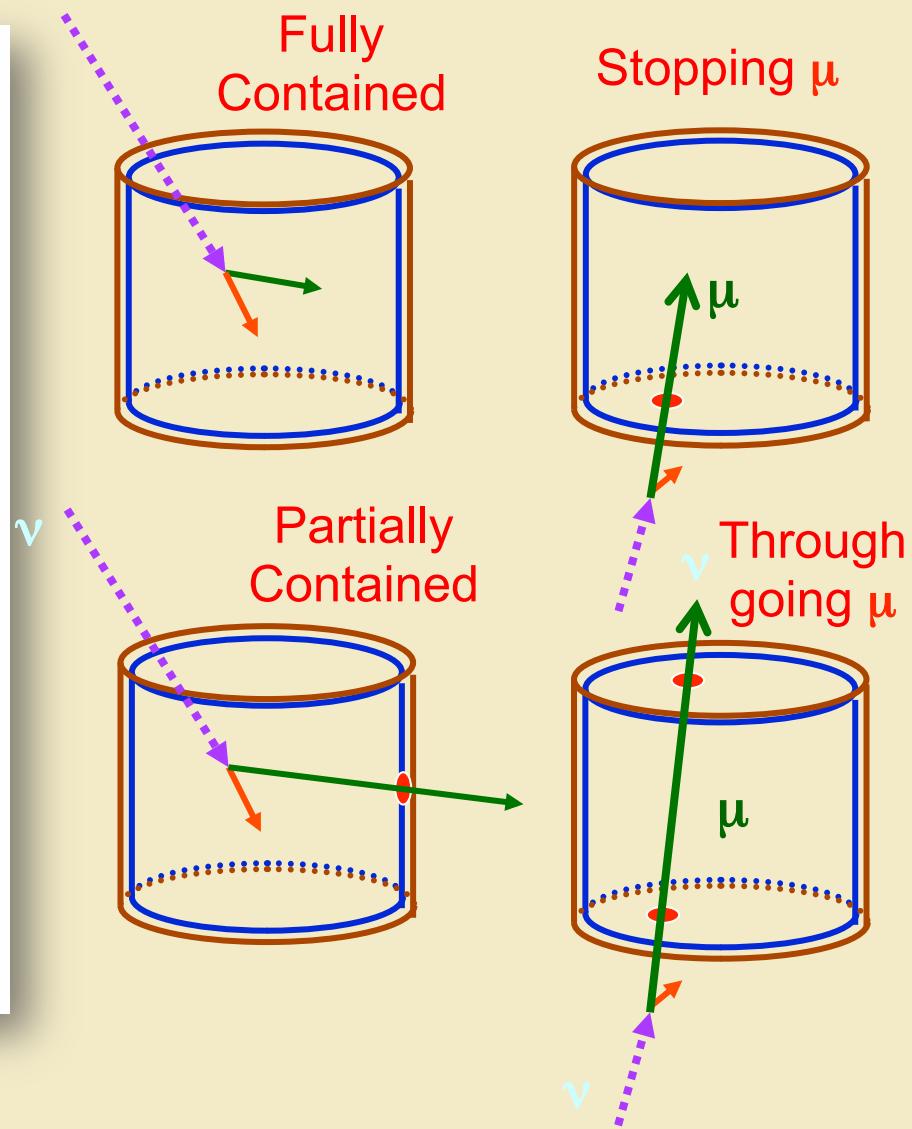
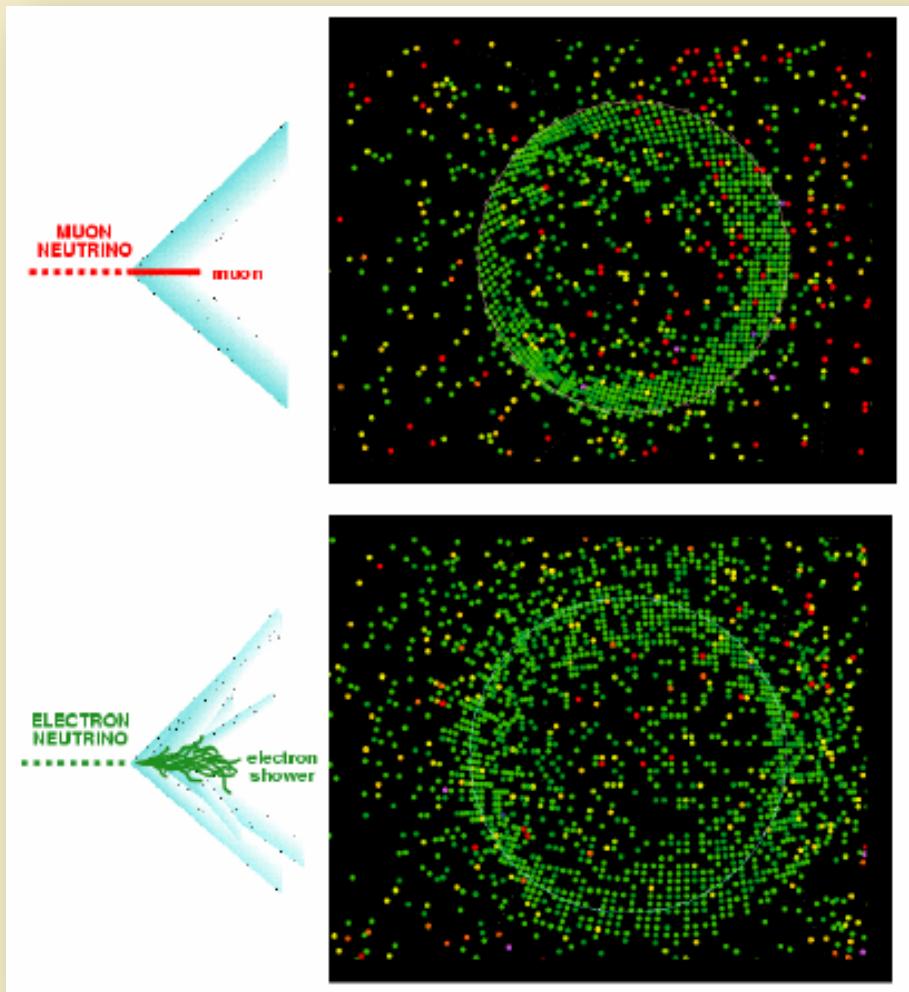
... but (anti)neutrino **flavor ratio**
($\mu/e \sim 2$) robust within few %

SuperKamiokande



Detection in SK

Parent neutrinos detected via CC interactions in the target (water).
Final-state μ and e distinguished by \neq Cherenkov ring sharpness.
(But: no charge discrimination, no τ event reconstruction). **Topologies:**



The SuperKamiokande atmospheric neutrino anomaly

SGe Sub-GeV electrons

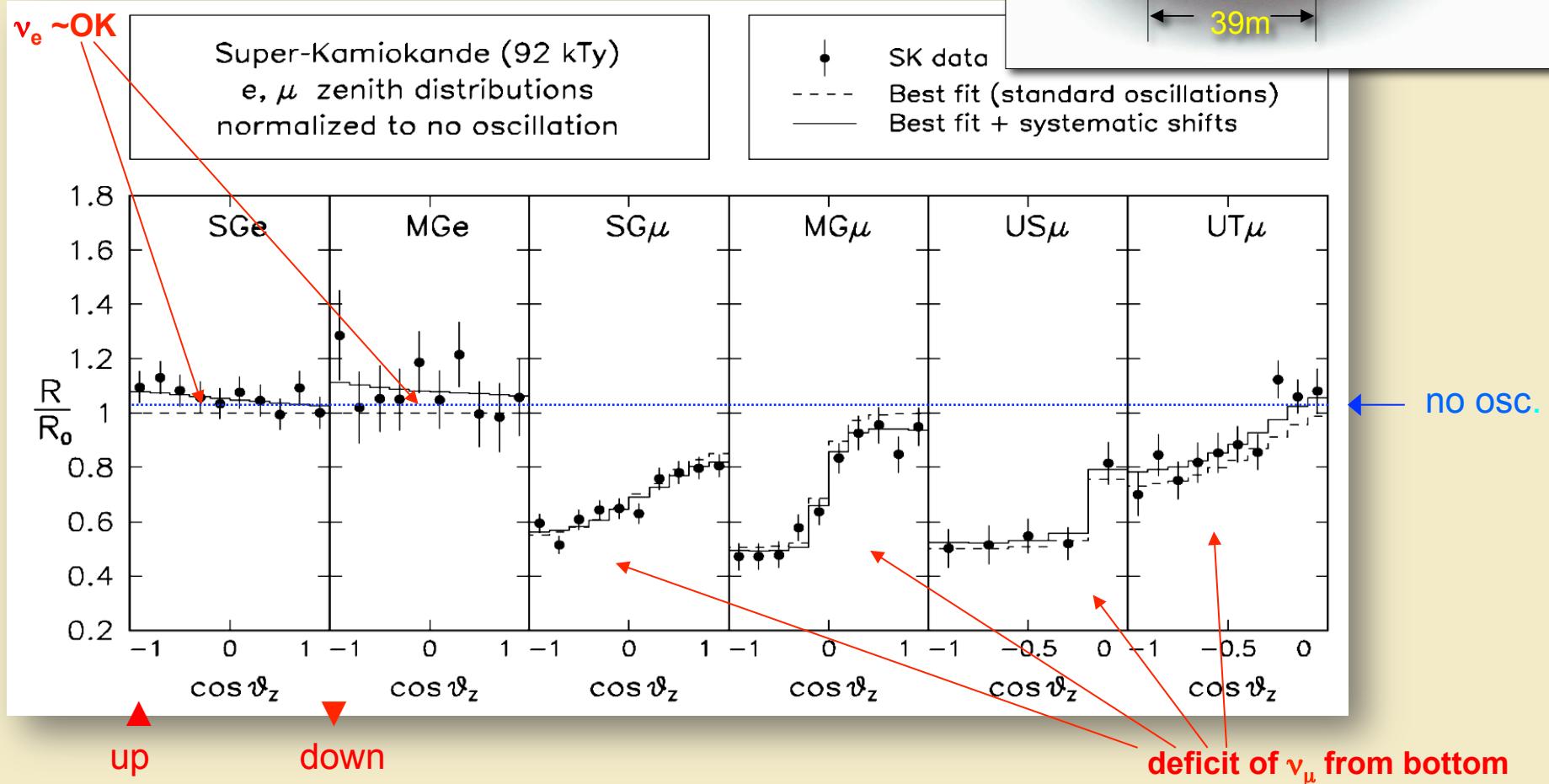
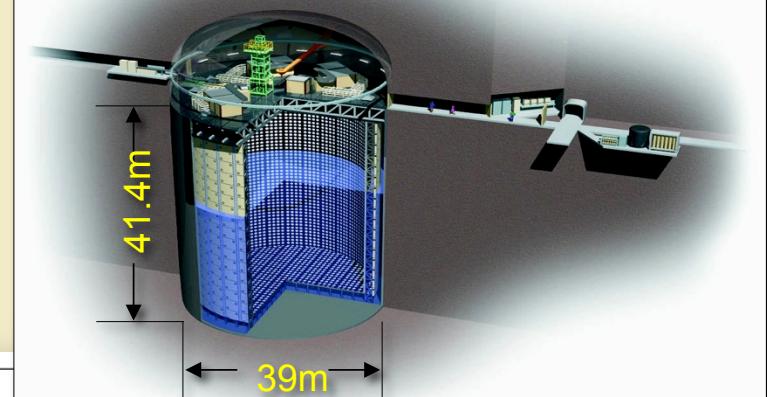
MGe Multi-GeV electrons

SG μ Sub-GeV muons

MG μ Multi-GeV muons

US μ Upward Stopping muons

UT μ Upward Through-going muons

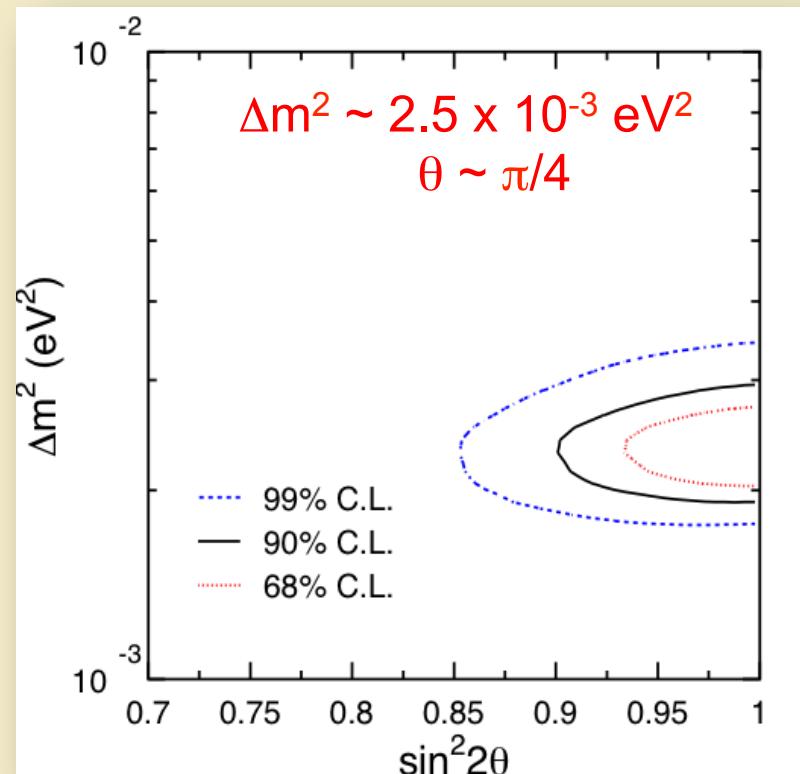
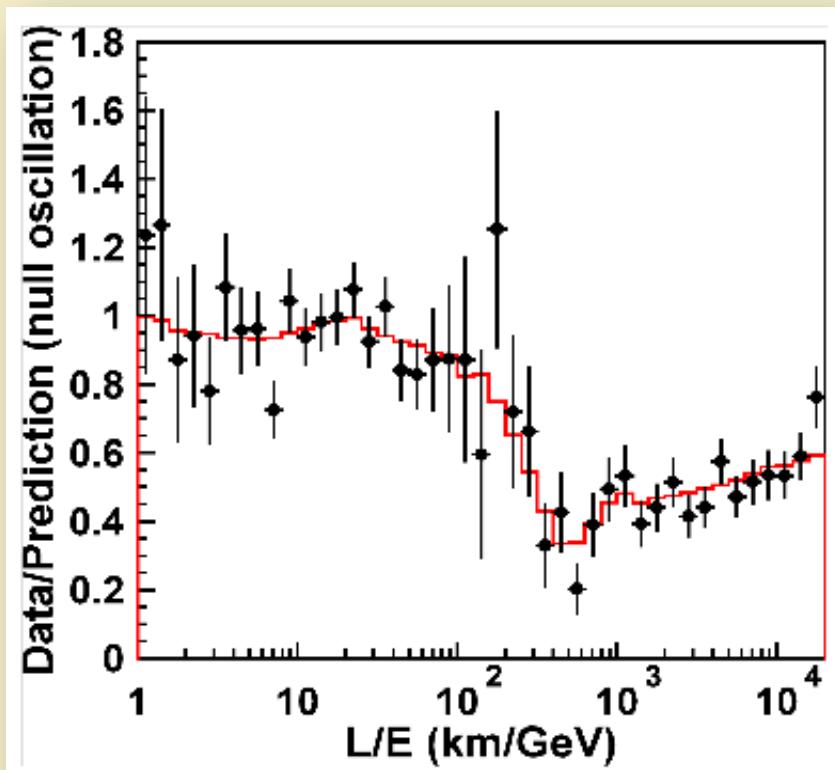


The SuperKamiokande atmospheric neutrino anomaly

Dedicated L/E analysis in SK “sees” half-period of oscillations

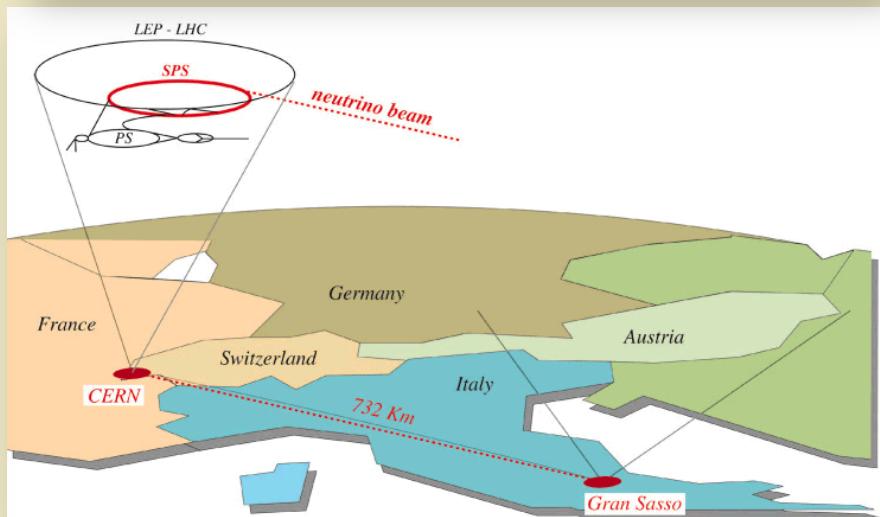
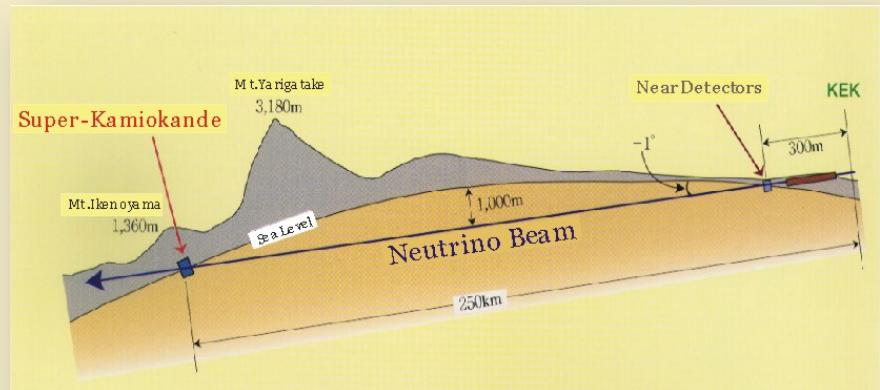
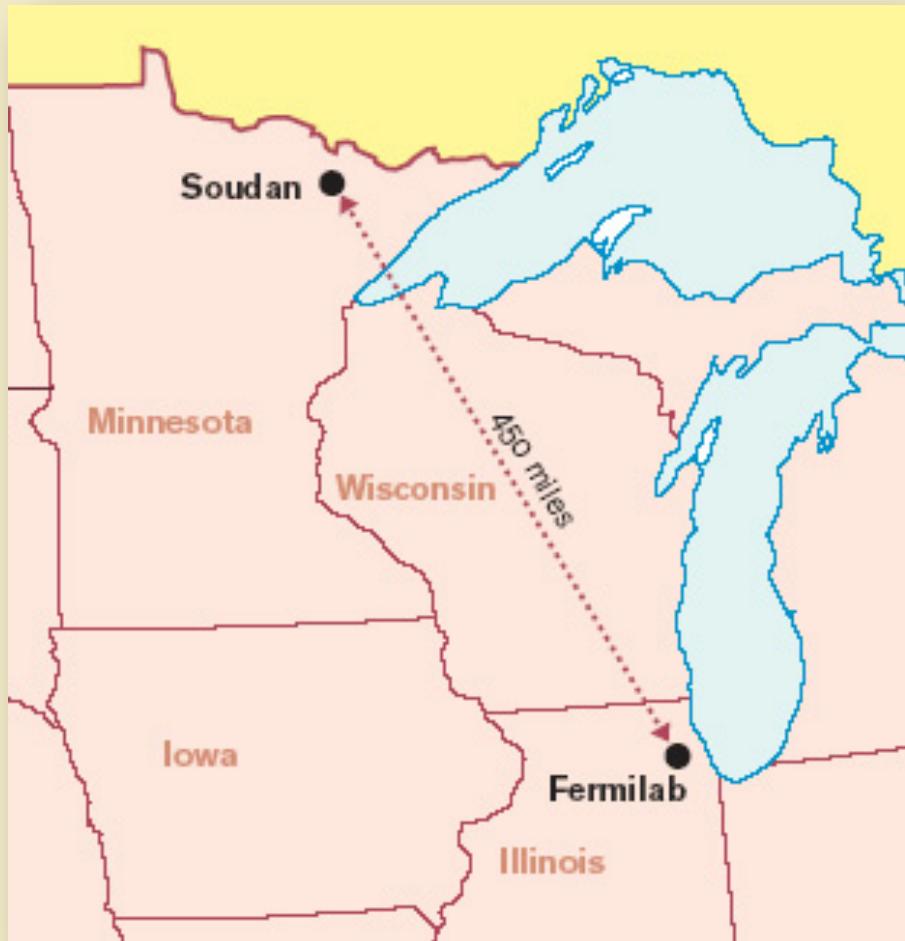
1st oscillation dip still visible
despite large L & E smearing

Strong constraints on the
parameters (Δm^2 , θ)

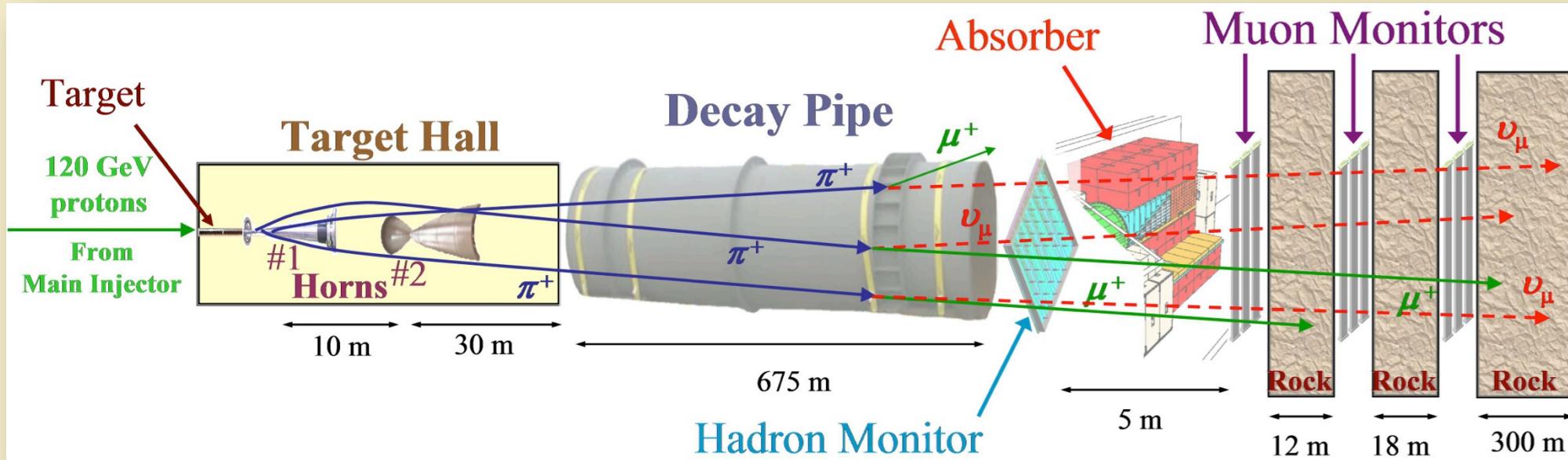


Long-baseline neutrino experiments

“Reproducing atmospheric ν_μ physics” in controlled conditions

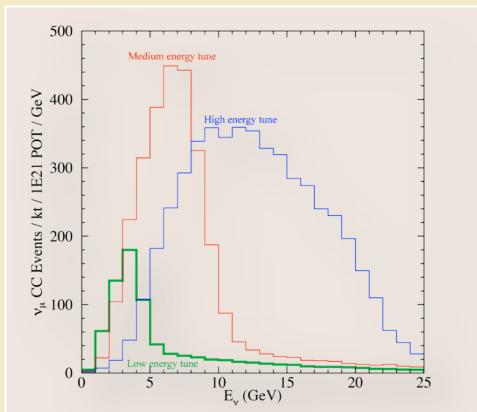


Production (e.g., MINOS)

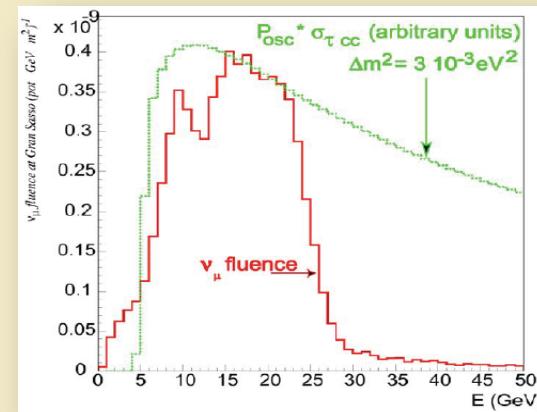


π decay: ν energy is only function of $\nu\pi$ angle and π energy

Spectra:



MINOS



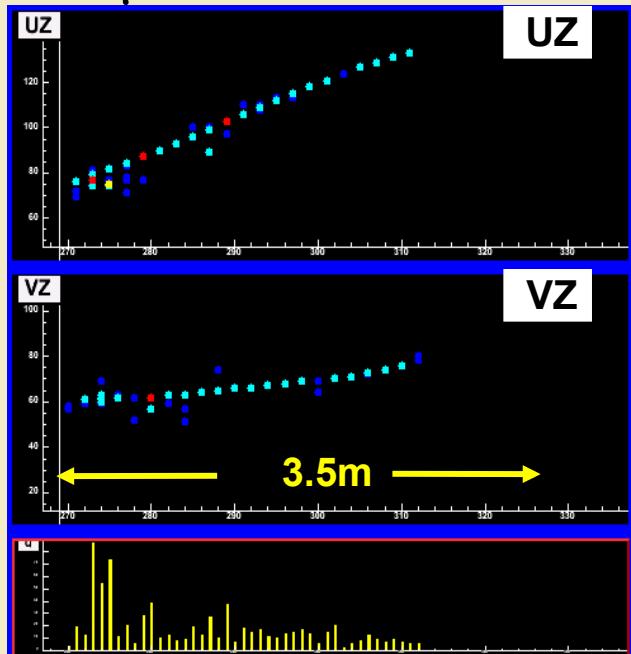
OPERA

(Far) Detection

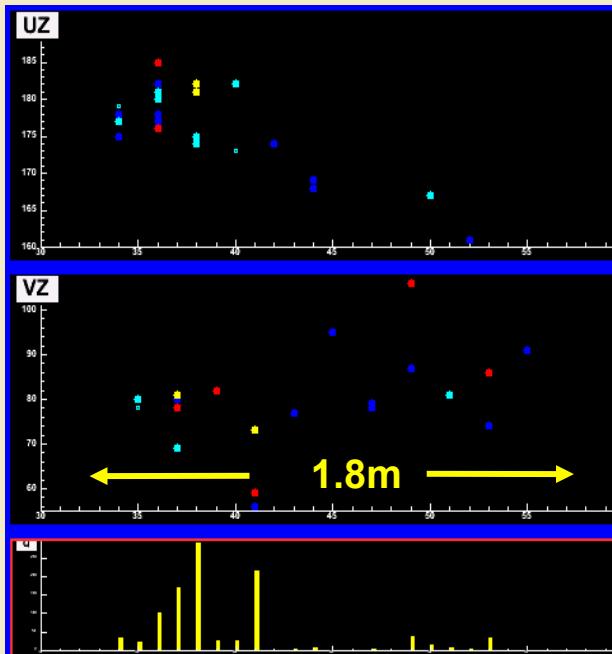
K2K, T2K: Cherenkov technique in SK

MINOS: Steel/Scintillator detector (+ magnetic field)

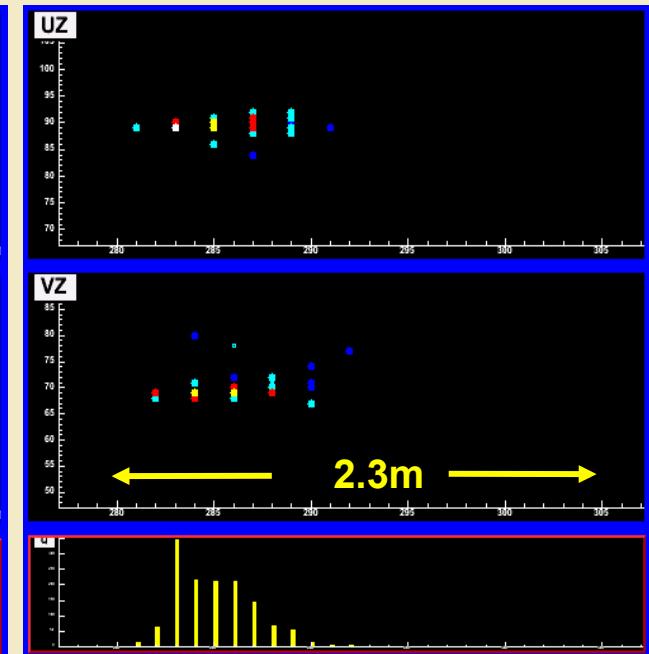
ν_μ CC Event



NC Event



ν_e CC Event



- Long muon track + hadronic activity at vertex

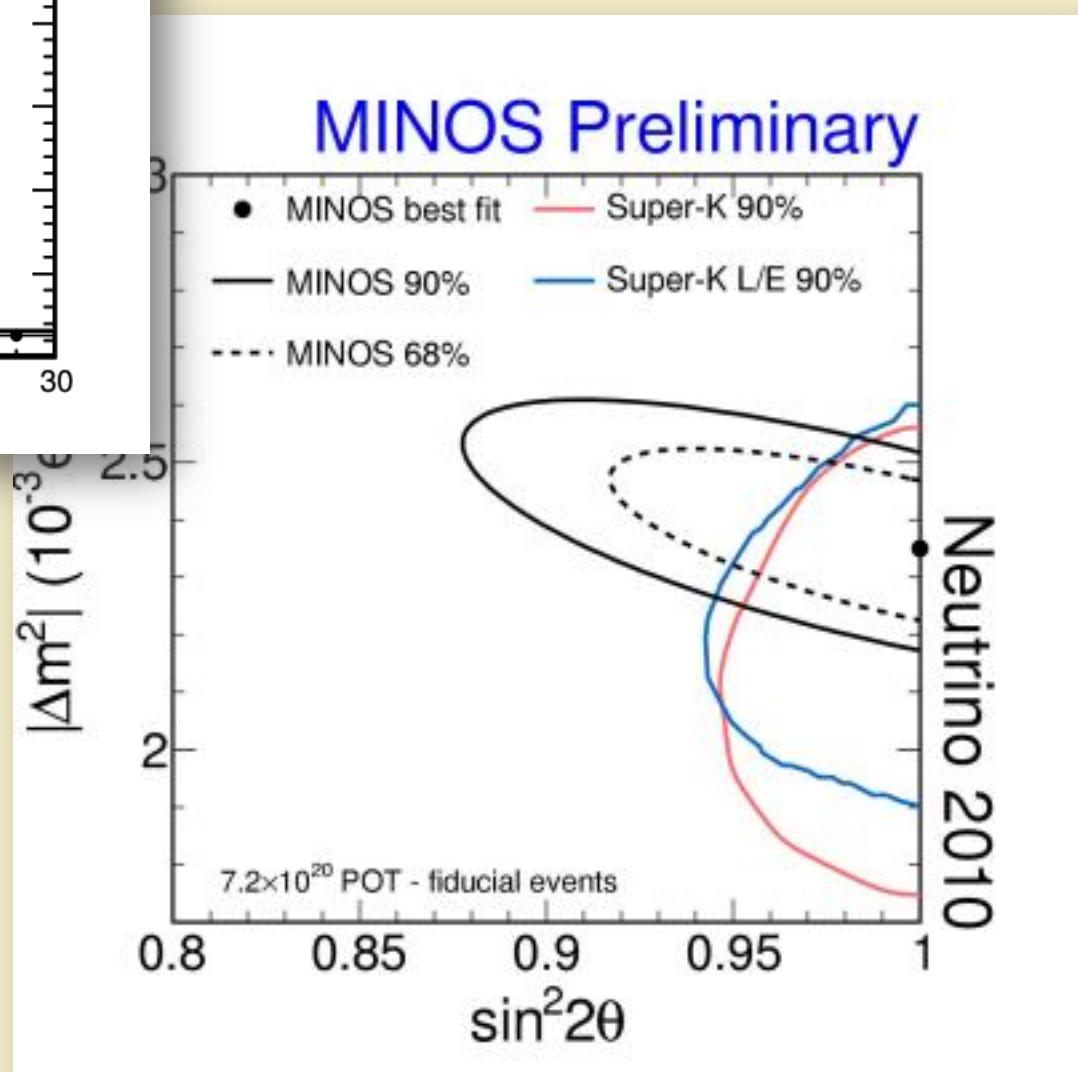
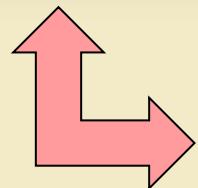
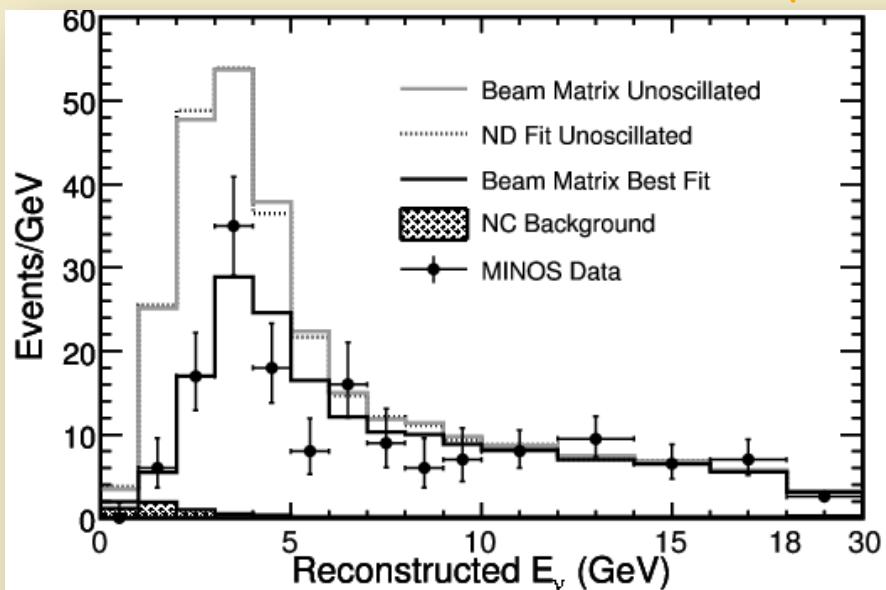
- Short showering event, often diffuse

- Short event with typical EM shower profile

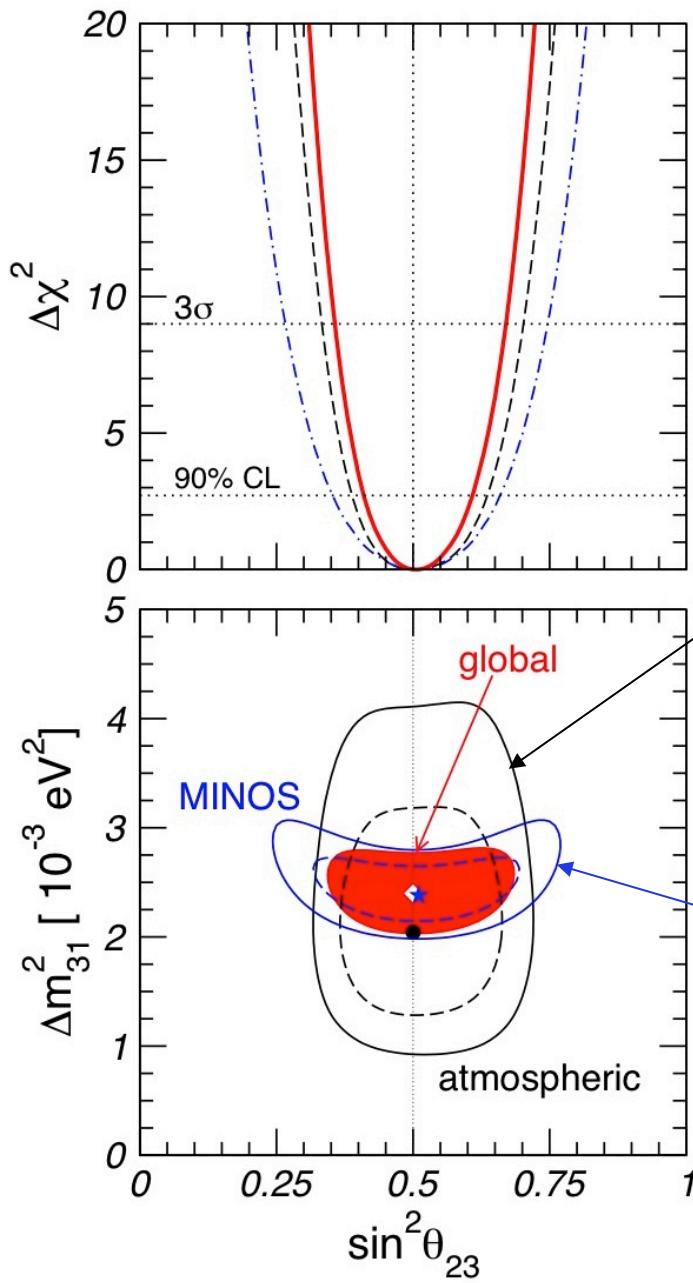
K2K, MINOS, T2K supplemented by near detectors to measure disappear. $P_{\mu\mu}$

MINOS results

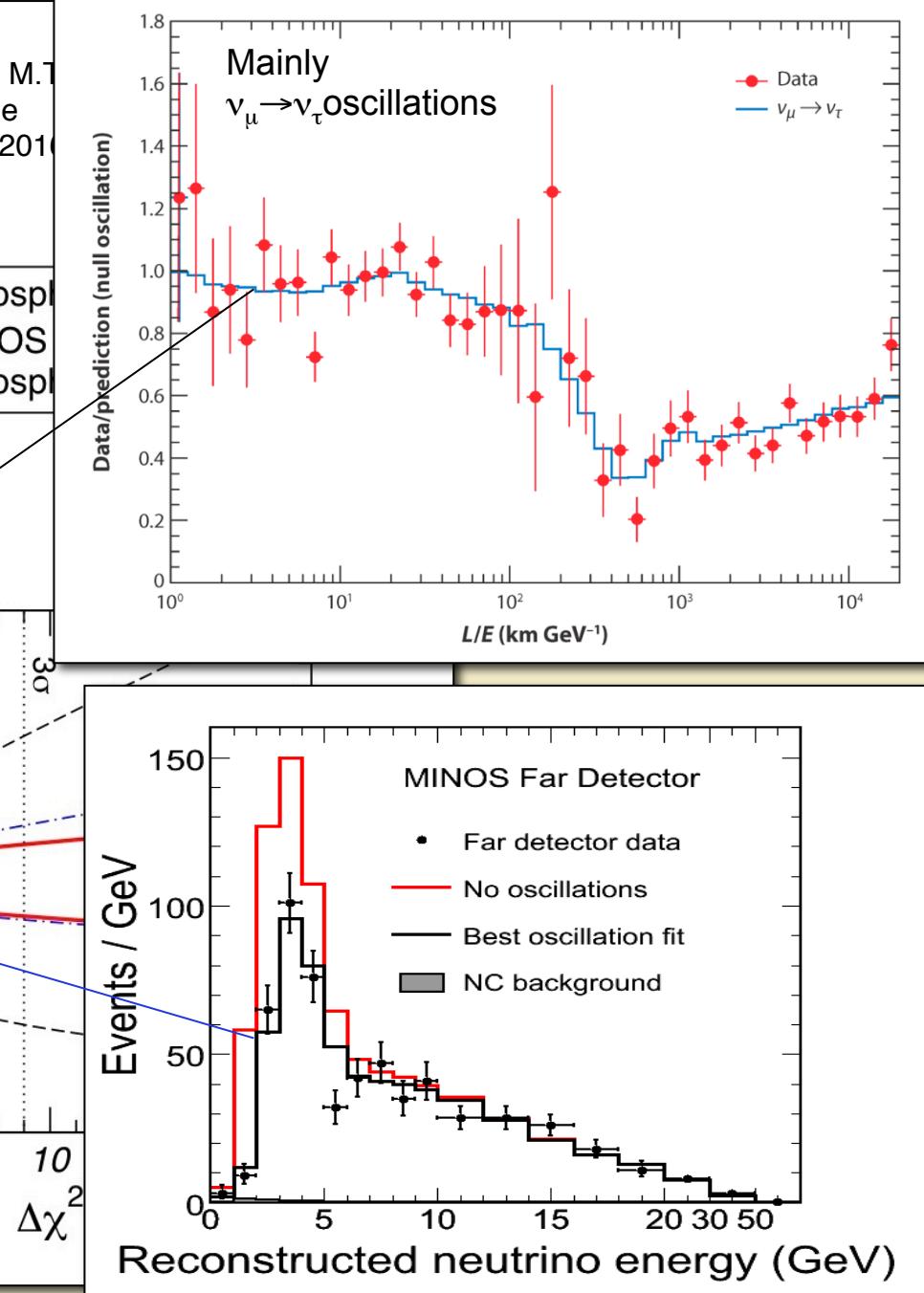
Clear evidence of ν_μ disappearance



Tuning on short waves ($E \sim \text{GeV}$)...

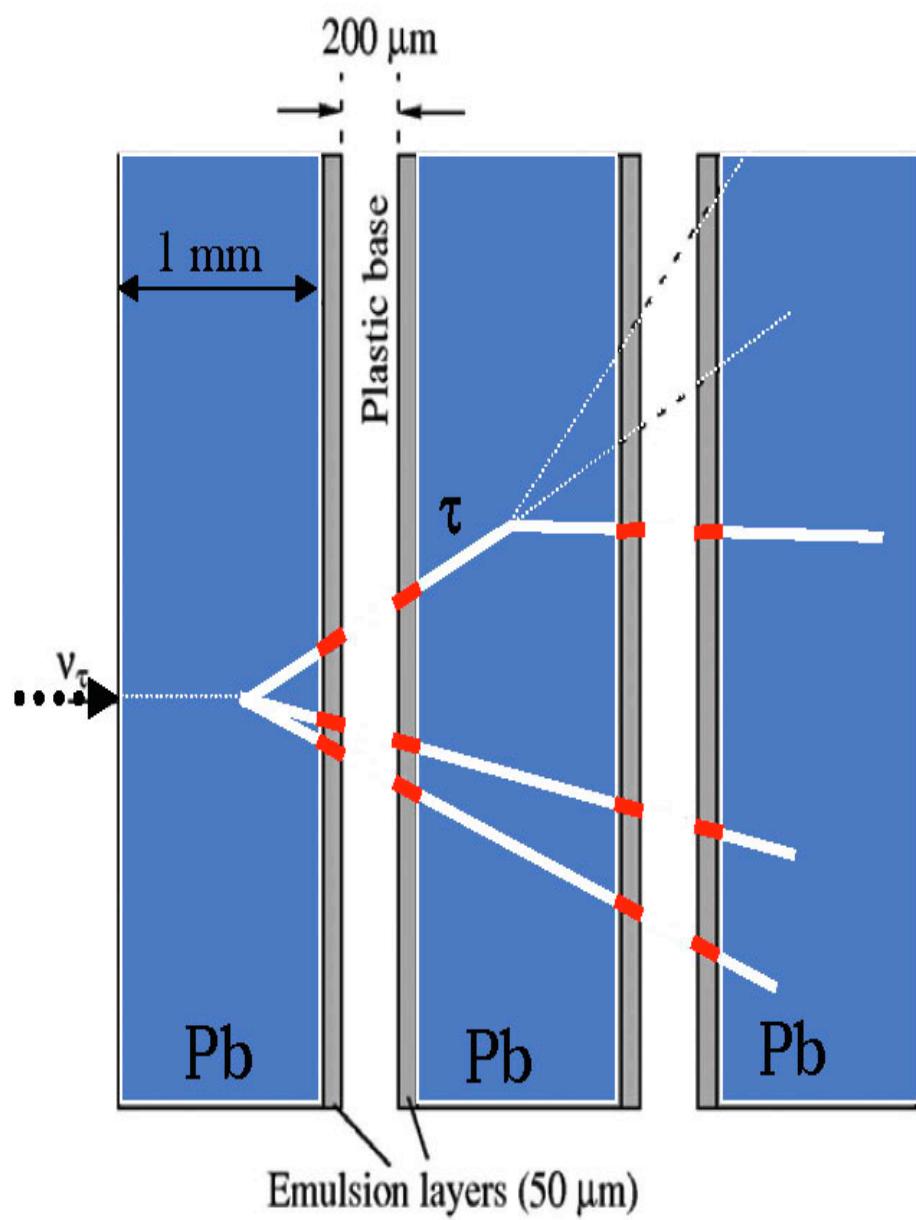


T. Schwetz, M.T.
J. W. F. Valle
arXiv:0808.2010

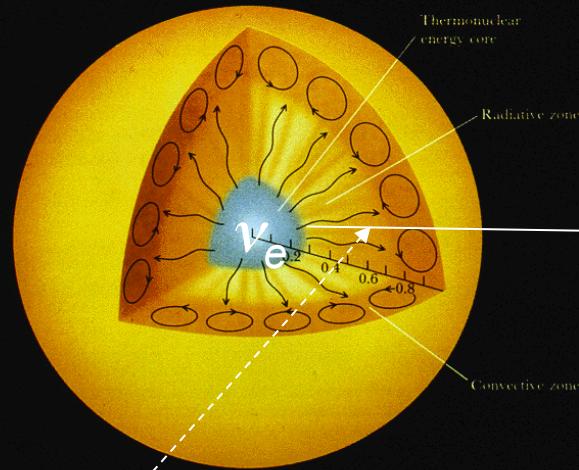


Testing ν_τ appearance

Two ν_τ have been seen in the OPERA experiment. Expected 5 in 5 years.



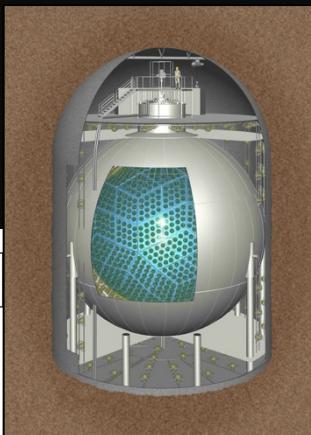
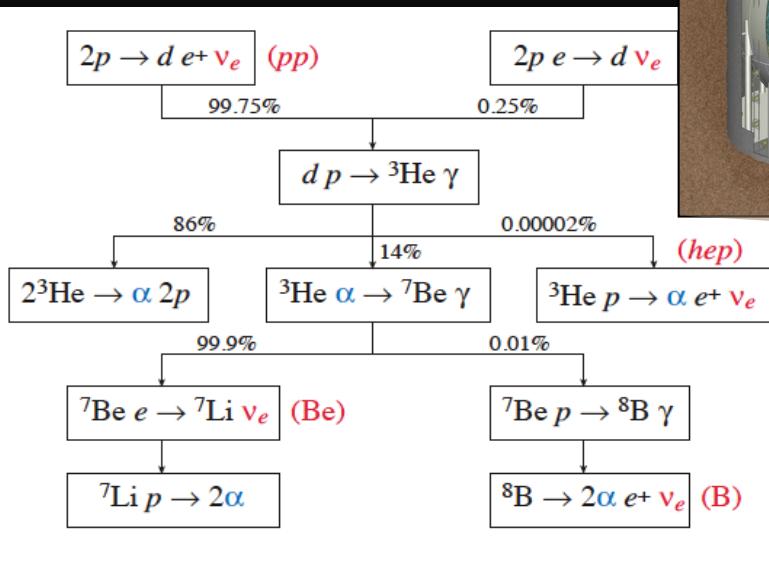
Tuning on long waves (E~MeV)...



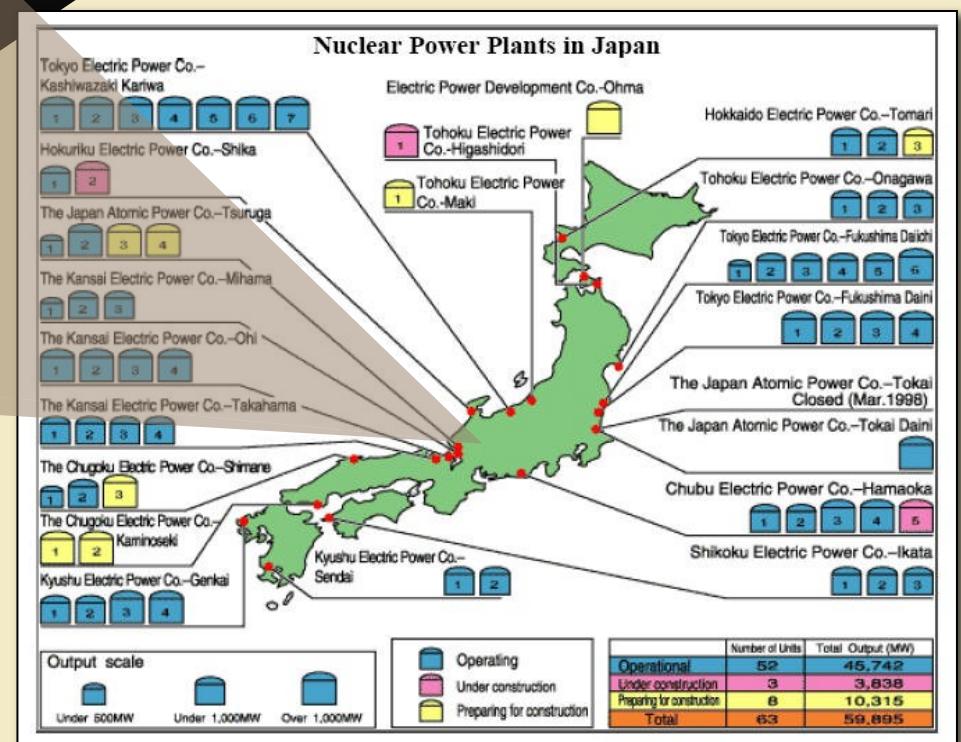
Solar Neutrinos



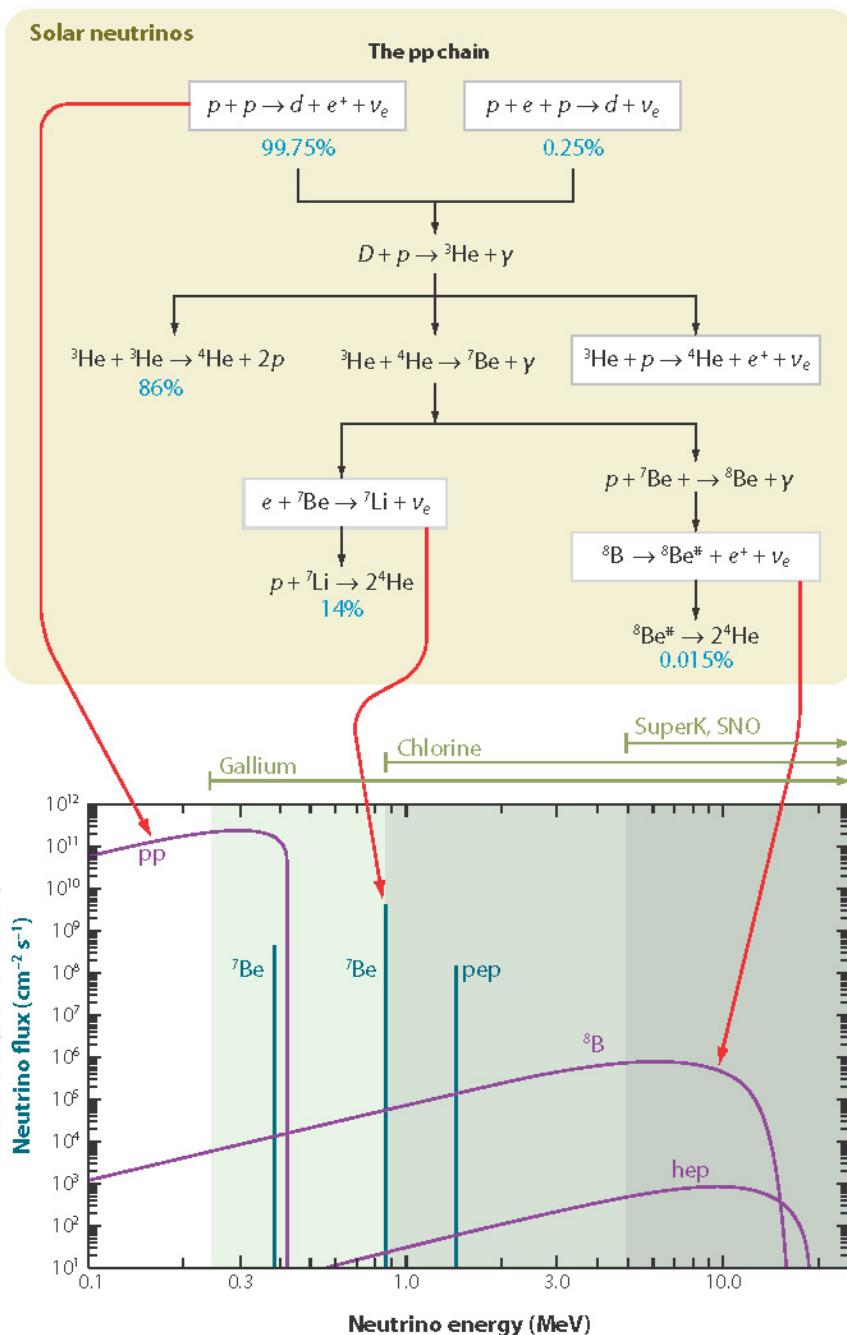
Coherent scattering of neutrinos modifies the evolution equation in matter (MSW effect)



Reactor neutrinos (KamLand)

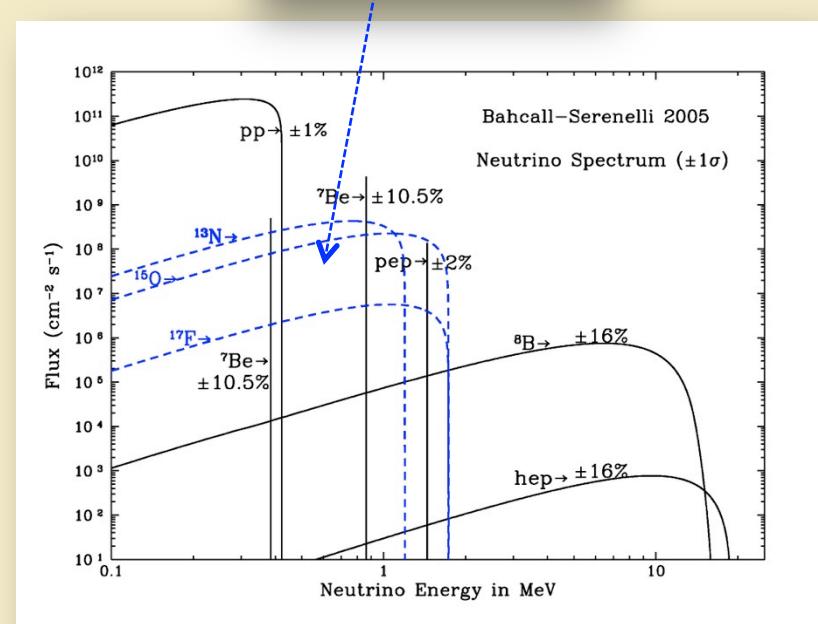
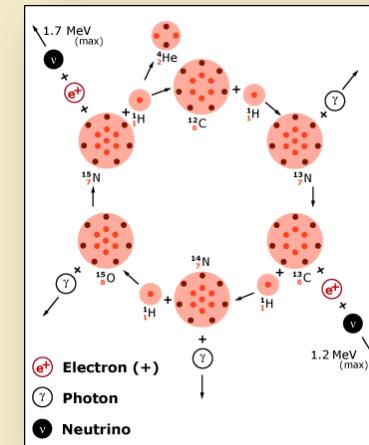


Solar neutrinos



Production

pp (+CNO) cycle



Detection of solar neutrinos

Radiochemical: count the decays of unstable final-state nuclei.
(low energy threshold, but energy and time info lost/integrated)



Homestake



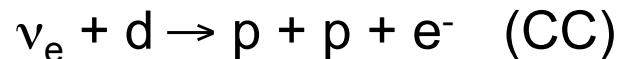
GALLEX/GNO, SAGE

Elastic scattering: events detected in real time with either
“high” threshold (Č, directional) or “low” threshold (Scintillators)

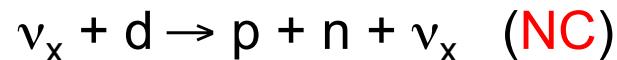


SK, SNO, Borexino

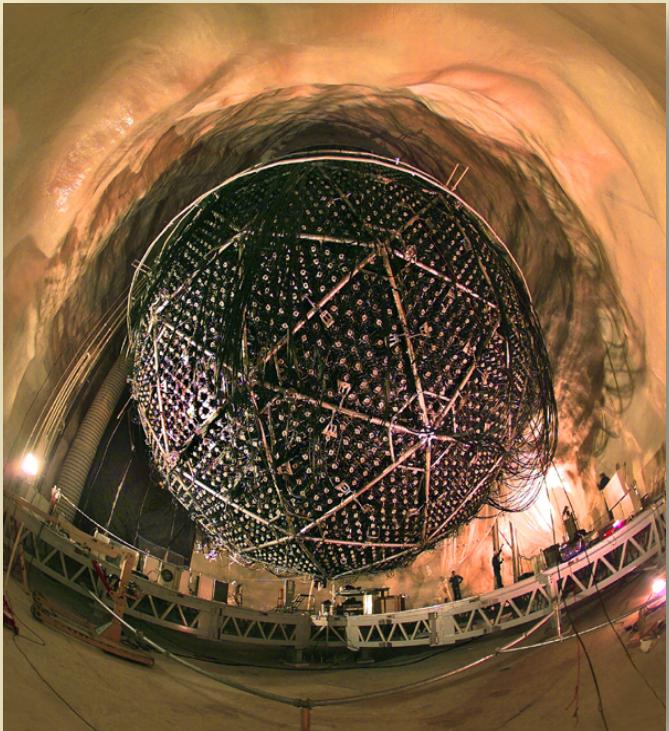
Interactions on Deuterium: CC events detected in real time; NC
events separated statistically + using neutron counters.



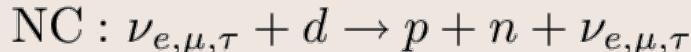
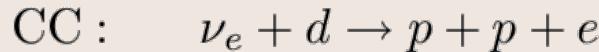
SNO (Sudbury Neutrino
Observatory)



The SNO experiment



The breakthrough: in deuterium one can separate CC events (induced by ν_e only) from NC events (induced by ν_e, ν_μ, ν_τ), and double check via Elastic Scattering events (due to both NC and CC)



$$\frac{\text{CC}}{\text{NC}} \sim \frac{\phi(\nu_e)}{\phi(\nu_e) + \phi(\nu_{\mu,\tau})} \quad \text{thus:}$$

$$\frac{\text{CC}}{\text{NC}} < 1 \Rightarrow \phi(\nu_{\mu,\tau}) > 0 \Rightarrow \nu_e \rightarrow \nu_{\mu,\tau}$$

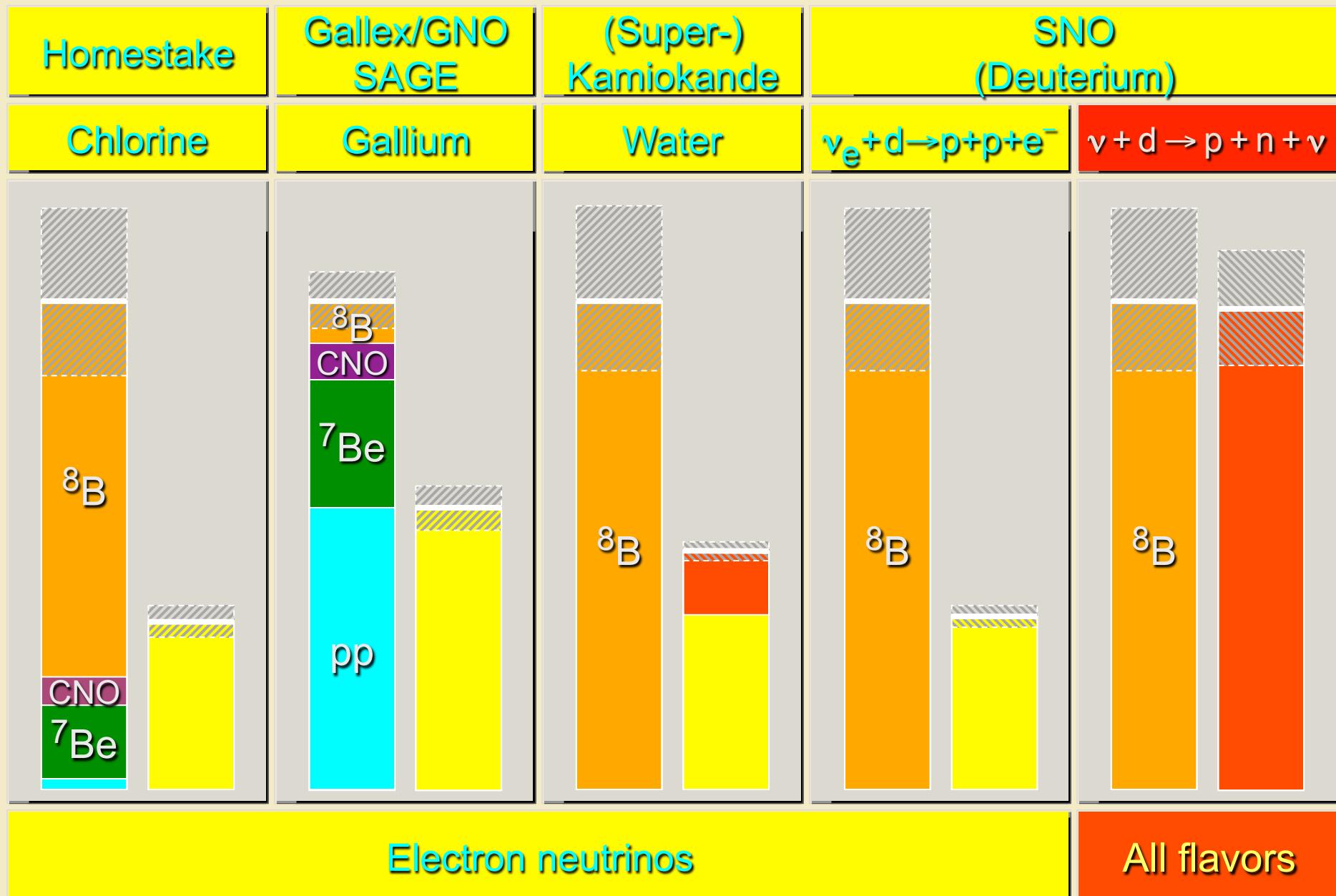
$$\text{CC/NC} \sim 1/3 < 1$$

“Smoking gun” proof of flavor change. Solar model OK! Also:

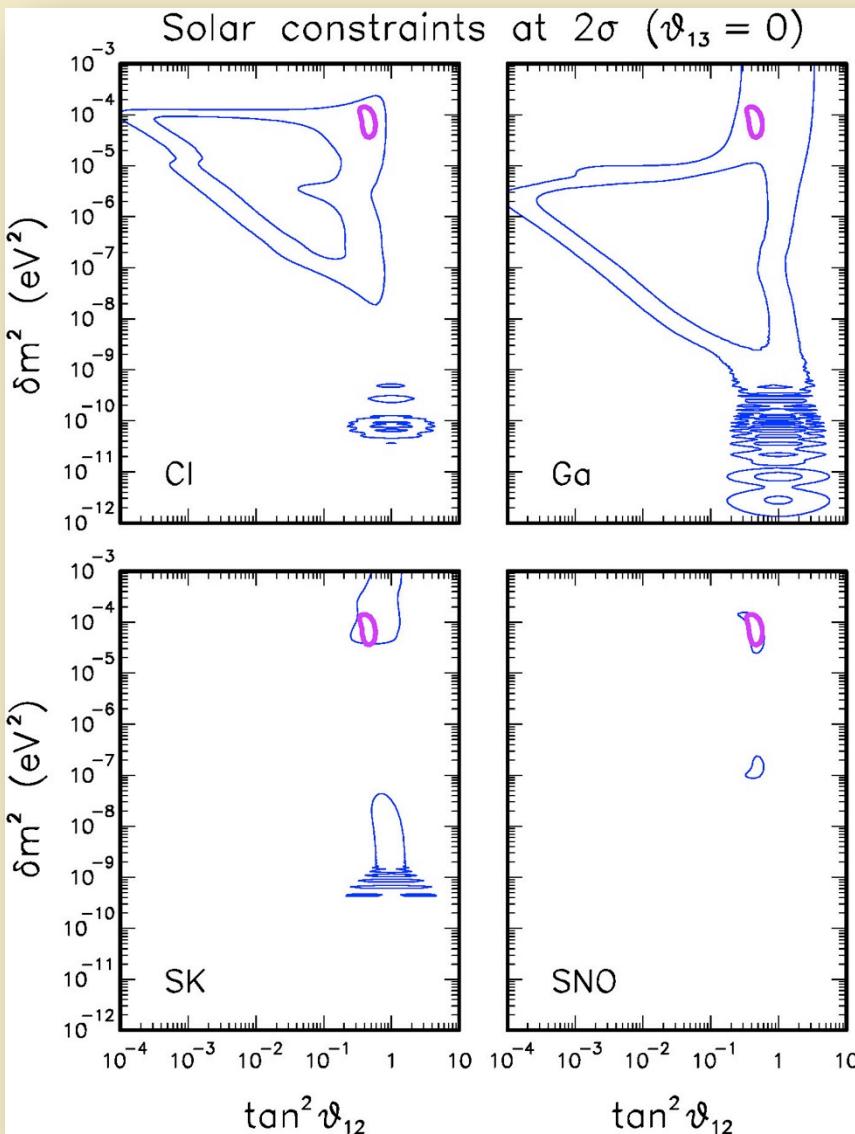
$$\text{CC/NC} \sim \text{Pee} \sim \sin^2 \theta_{12} \text{ (LMA)} \sim 1/3 < 1/2$$

Evidence of: mixing in first octant + matter effects

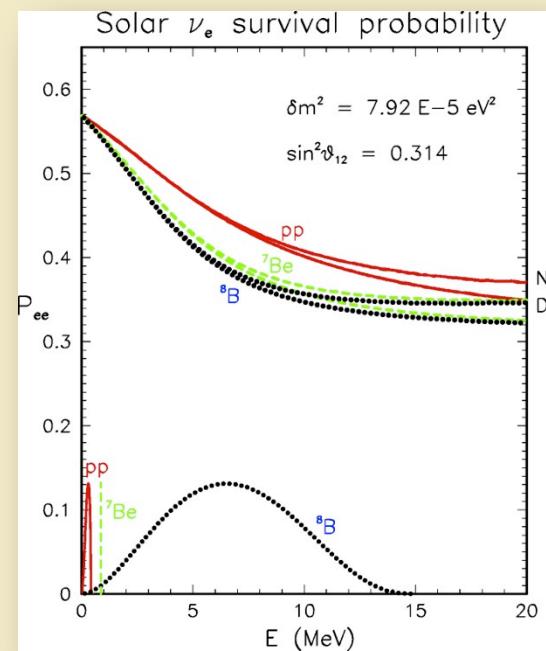
The solar neutrino deficit



The “oscillatory” solution



For LMA parameters,
evolution is adiabatic
in solar matter.

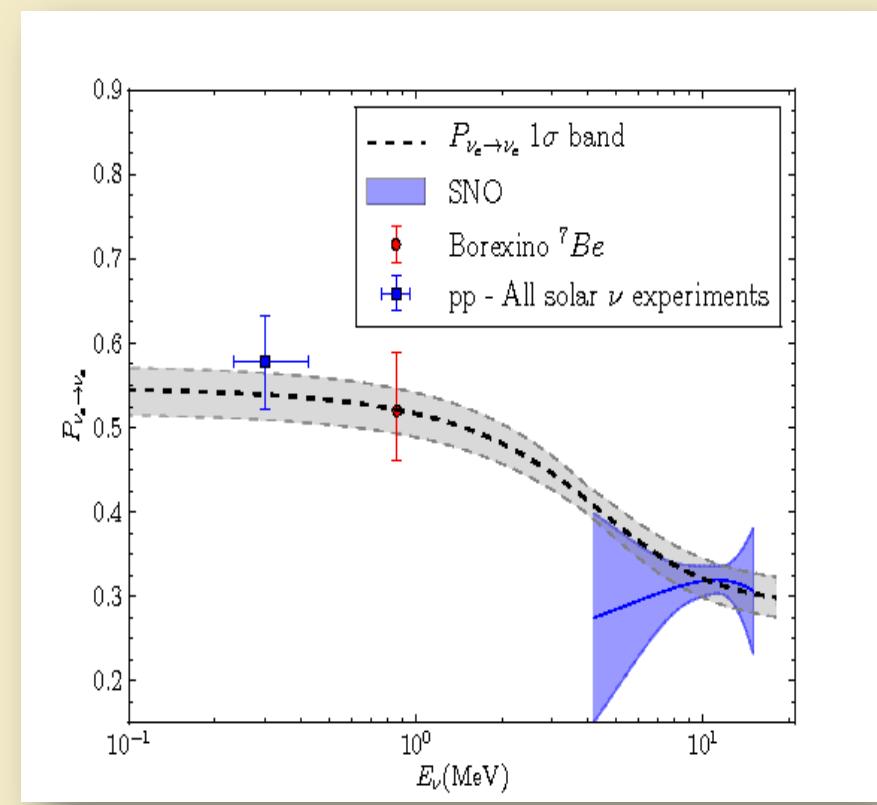
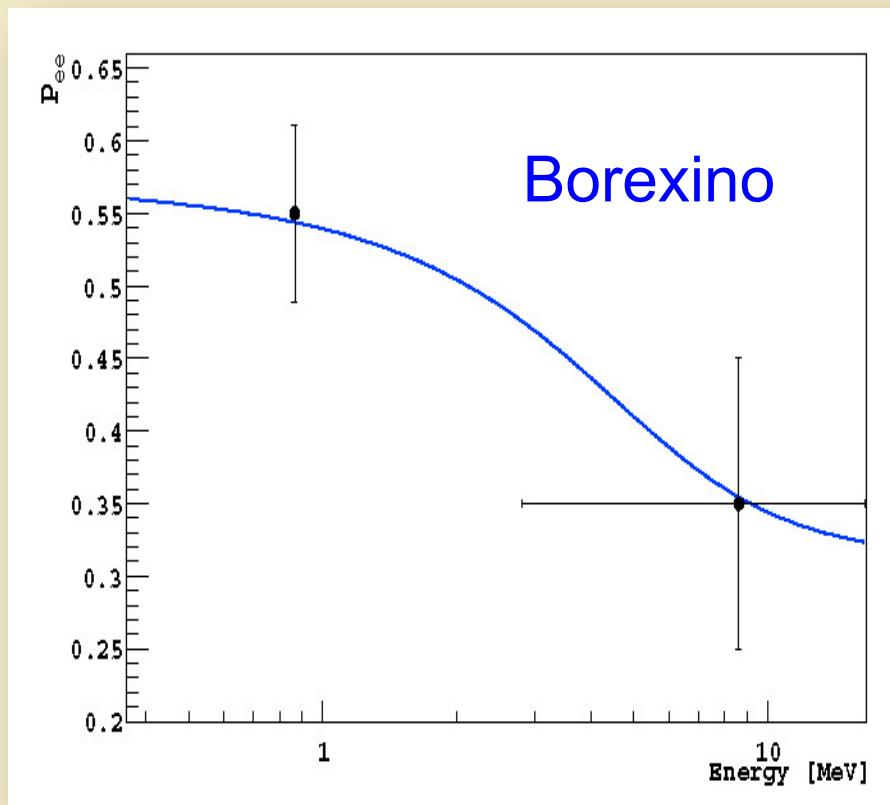


In the Earth: small day/night
(D/N) effects, not yet seen.

The solar neutrino deficit

Recent, direct confirmation of adiabatic
Pee pattern at LMA in a single solar ν
experiment: BOREXINO at Gran Sasso

Overall picture including final SNO data
[Spectral rise at low energy not yet
directly observed – anomaly?]



The KamLand Experiment

KamLAND: 1000 ton mineral oil detector, “surrounded” by nuclear reactors producing $\text{anti-}\nu_e$. Characteristics:

$VE/\delta m^2 \ll 1$ in Earth crust
(vacuum approxim. OK)
 $L \sim 100\text{-}200 \text{ km}$
 $E_\nu \sim \text{few MeV}$

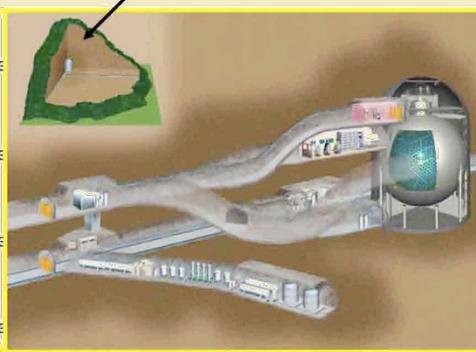


With previous $(\delta m^2, \theta)$ parameters it is $(\delta m^2 L / 4E) \sim O(1)$ and reactor neutrinos should oscillate with large amplitude (large θ)



Long-baseline
reactor expt

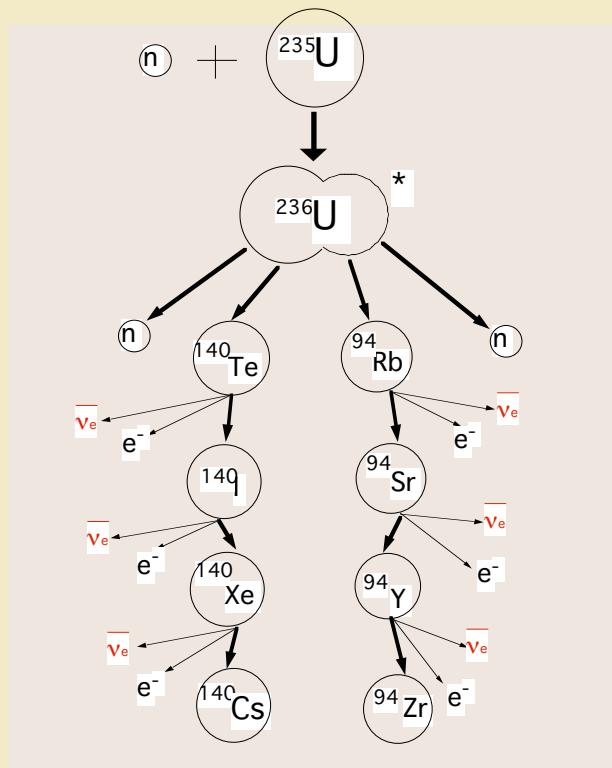
~1 km high
Mt Ikenoyama



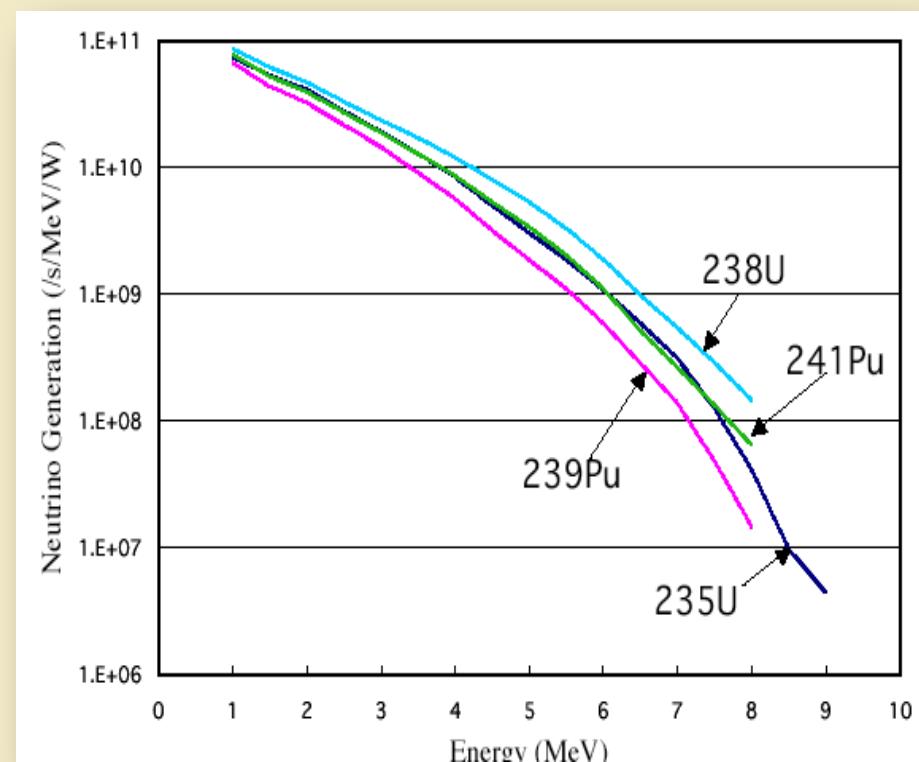
Reactor neutrinos

Reactors: Intense sources of anti- ν_e ($\sim 6 \times 10^{20}/\text{s/reactor}$)

Typically, 6 neutron decays to reach stable matter from fission:

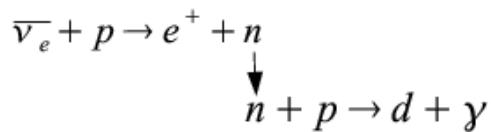


~200 MeV per fission / 6 decays:
Typical available neutrino energy is
 $E \sim \text{few MeV}$

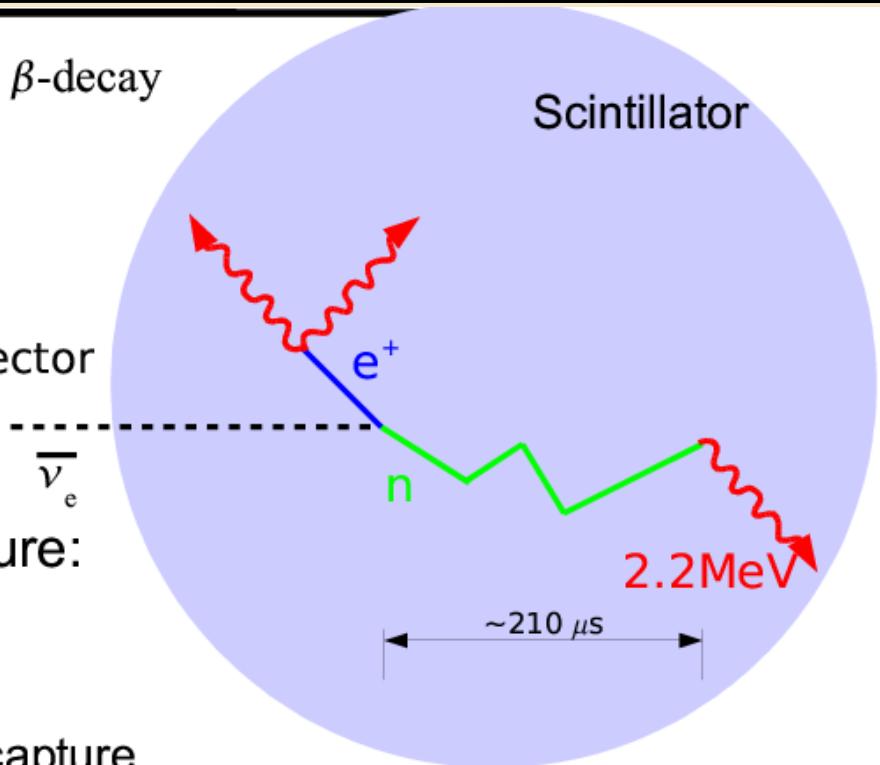


Neutrino detection

Reaction Process: inverse β -decay



Scintillator is target and detector



- Distinct two-step signature:

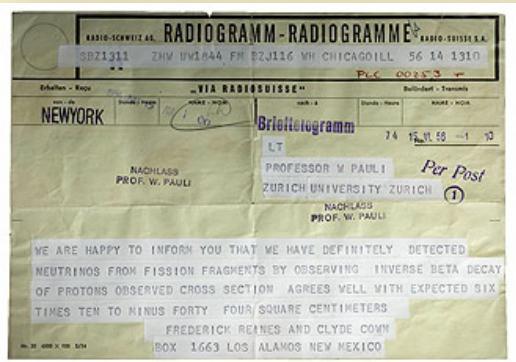
- prompt event: positron

$$E_{\nu} \approx E_{e^+} + 0.8 \text{ MeV}$$

- delayed event: neutron capture after $\sim 210 \mu\text{s}$

- 2.2 MeV gamma

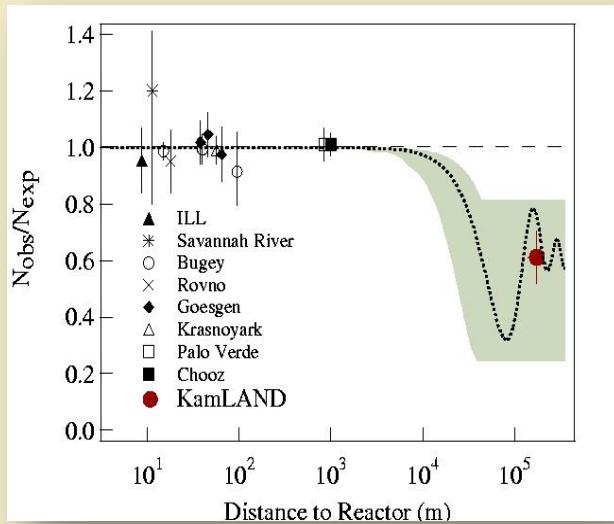
Delayed coincidence: good background rejection



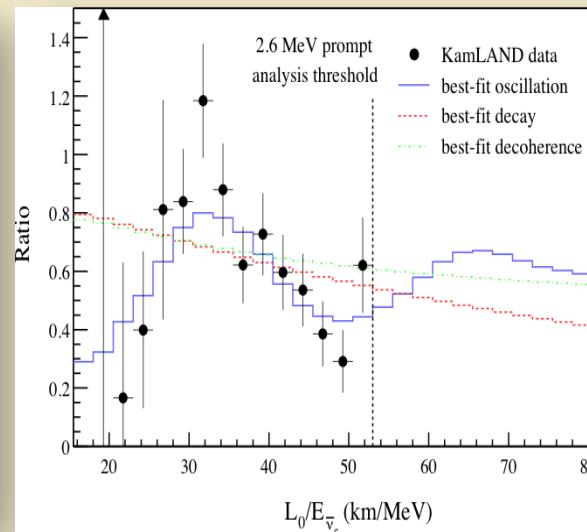
← This reaction allowed experimental neutrino discovery in 1956 (Reines & Cowan)

KamLand Results

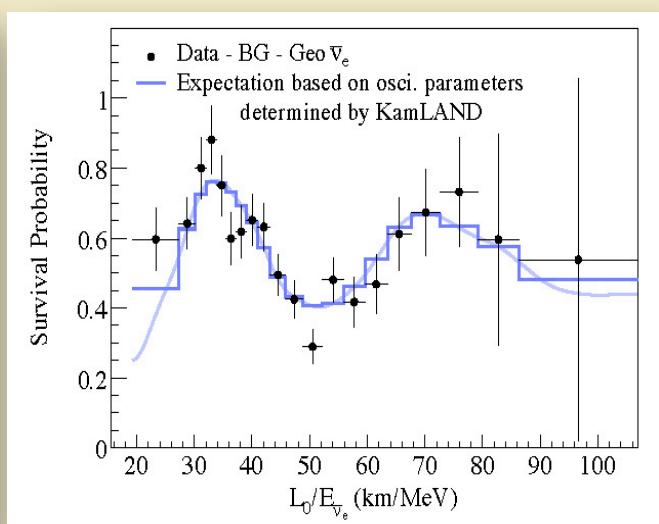
2002: electron flavor disappearance observed



2004: half-period of oscillation observed

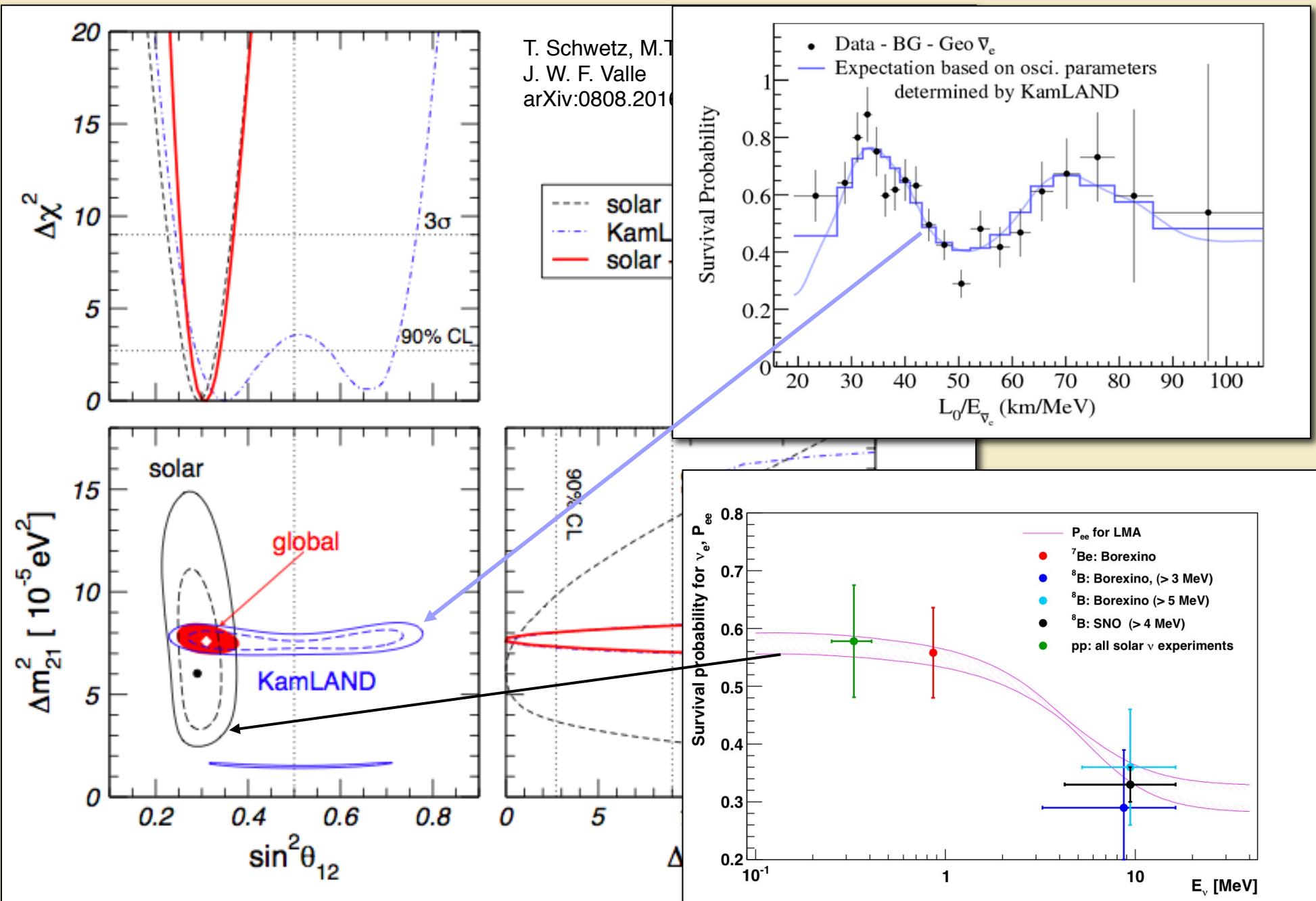


2007: one period of oscillation observed

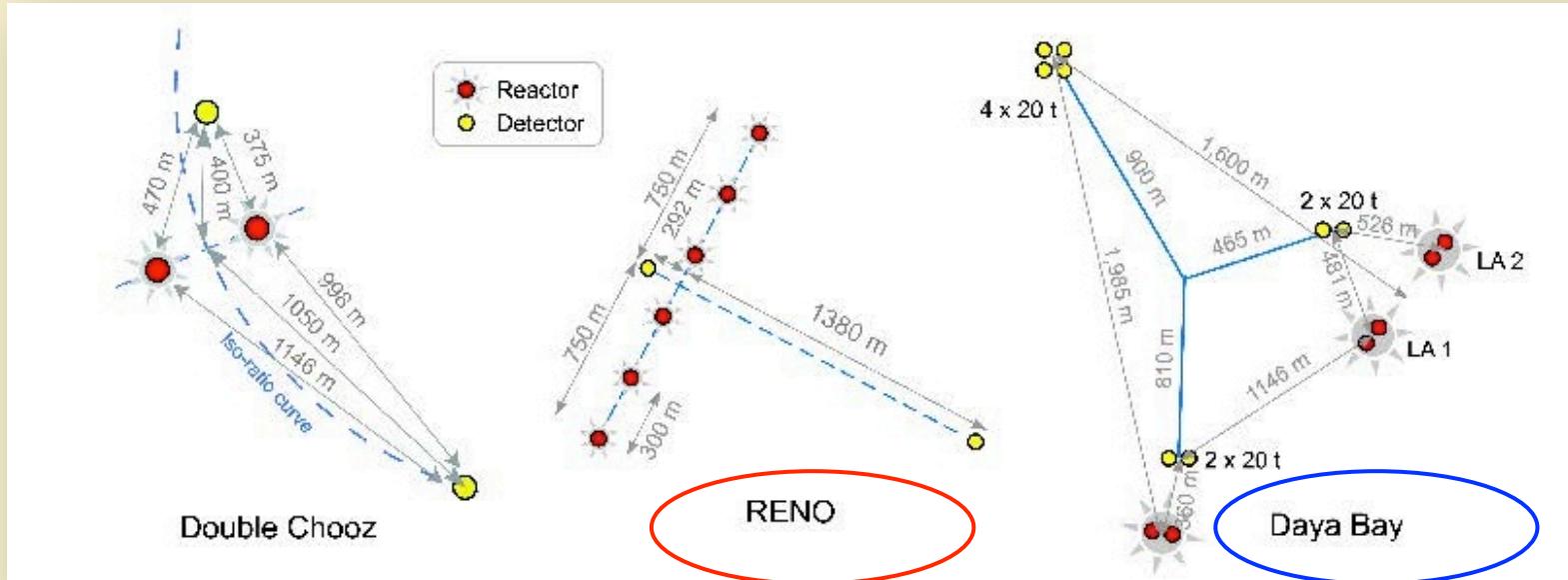


Direct observation of δm^2 oscillations!

Tuning on long waves ($E \sim \text{MeV}$)...



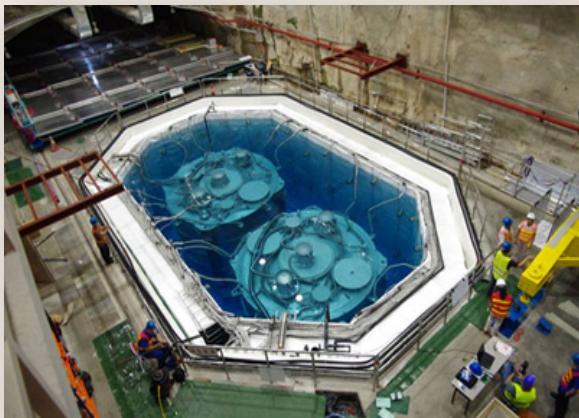
Short baseline neutrino experiments



Running with FD;
ND in construction

Running with
ND & FD

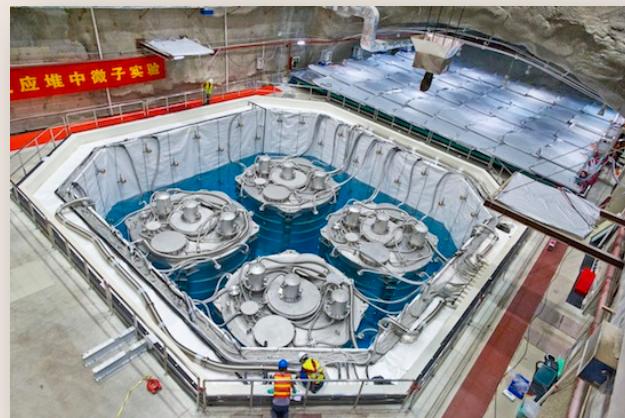
Running with
ND & FD



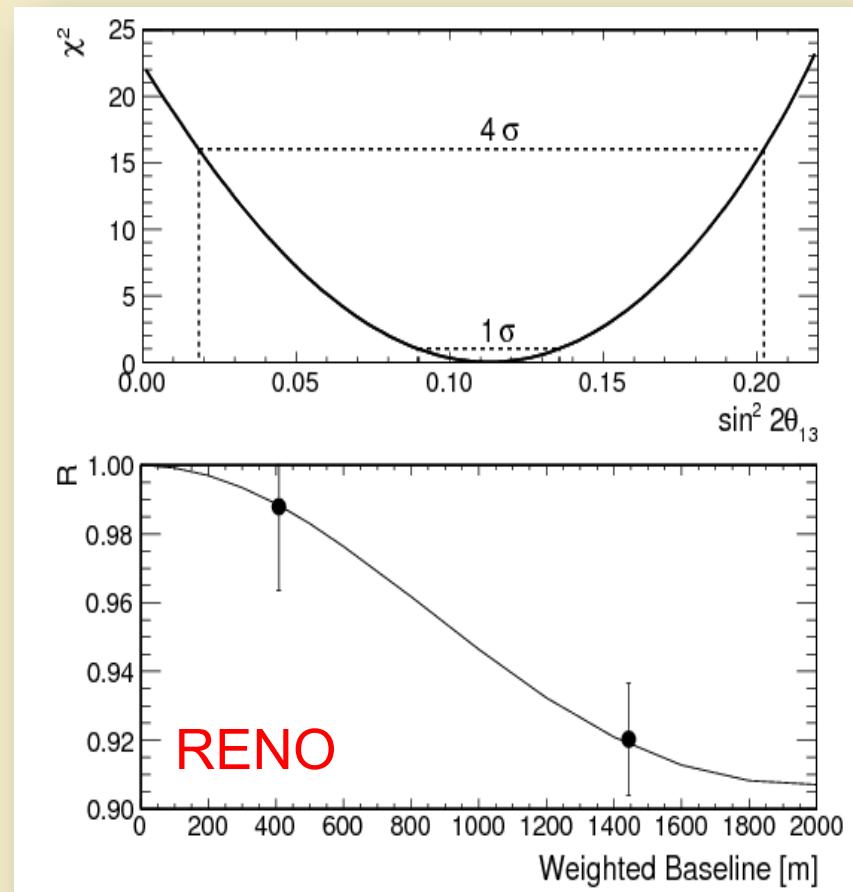
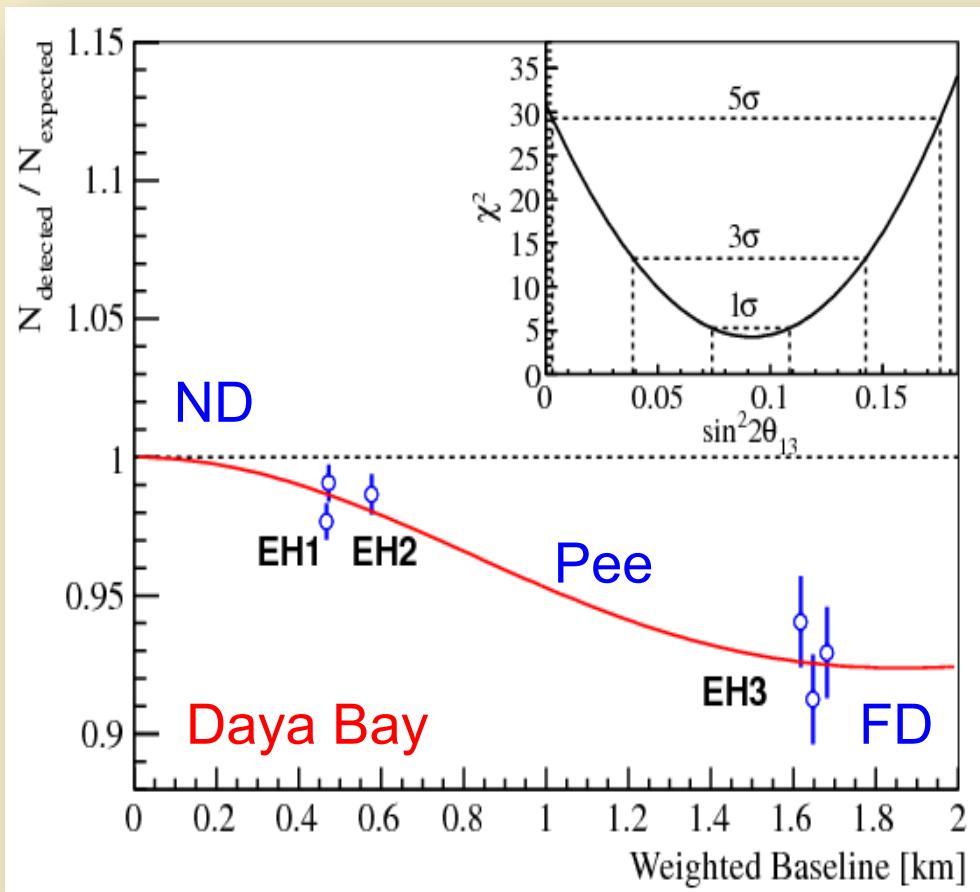
E.g, for
Daya Bay:

← ND

FD →



Neutrino disappearance on short distances



Results: disappearance at FD with respect to \sim unoscillated at ND.

Double Chooz results (FD only) also consistent with Daya Bay & RENO.

Expect further data and spectral analyses in the near future.

Interpretation of Reactor results

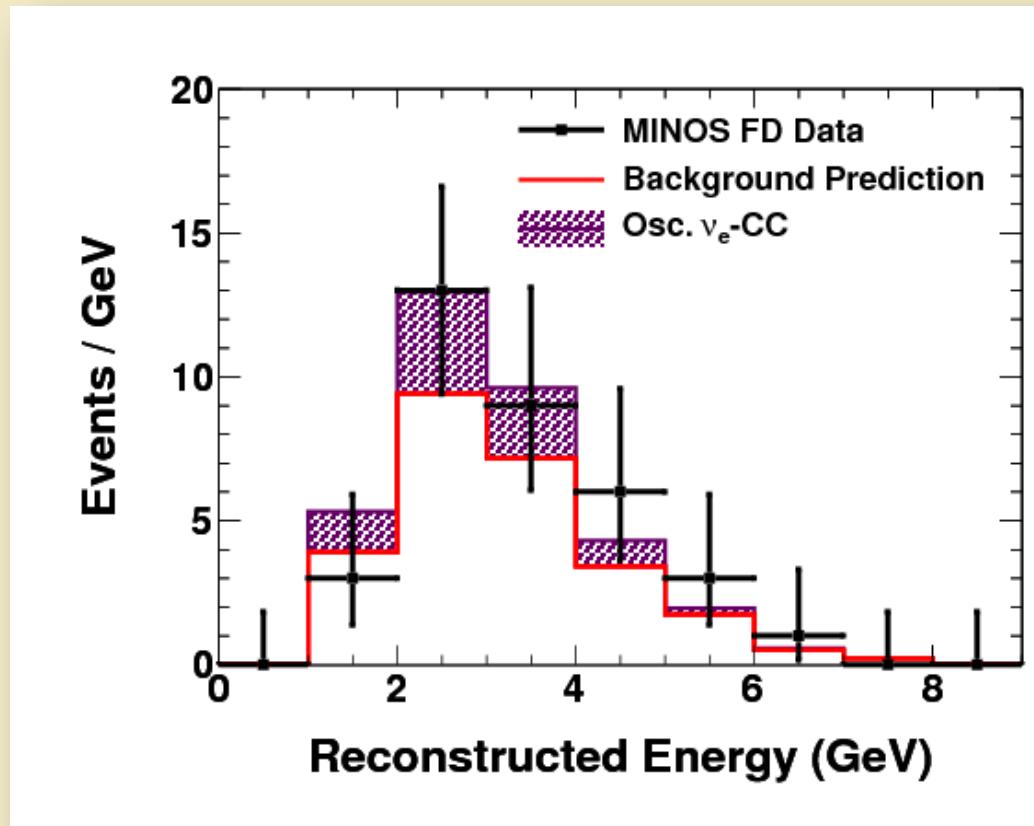
Reactor experiments show an (anti)neutrino disappearance, $P_{ee} < 1$. In term of one mass scale dominance we have

$$P_{ee} = 1 - 4s_{13}^2 c_{13}^2 \sin^2 \frac{\Delta m^2 x}{4E}$$

Since Δm^2 is known from atmospheric and accelerator experiments this can be interpreted by a nonzero value of θ_{13} .

ν_e appearance at LBL

excess of ν_e at MINOS and T2K: evidence for subleading $\nu_\mu \rightarrow \nu_e$ oscillations



$$P_{\mu e} = 4|U_{e3}|^2|U_{\mu 3}|^2 \sin^2 \frac{\Delta m^2 x}{4E} = 4s_{13}^2 c_{13}^2 c_{23}^2 \sin^2 \frac{\Delta m^2 x}{4E}$$

Again: evidence for non zero θ_{13}

Putting all together

Extracting oscillation parameters and their correlations from solar, atmospheric, accelerator and reactor neutrino data, as of summer 2012

Full 3 ν probabilities included, no approximation.

PHYSICAL REVIEW D 86, 013012 (2012)

Global analysis of neutrino masses, mixings, and phases: Entering the era of leptonic CP violation searches

G. L. Fogli,^{1,2} E. Lisi,² A. Marrone,^{1,2} D. Montanino,^{3,4} A. Palazzo,⁵ and A. M. Rotunno¹

¹Dipartimento Interateneo di Fisica “Michelangelo Merlin”, Via Amendola 173, 70126 Bari, Italy

²Istituto Nazionale di Fisica Nucleare, Sezione di Bari, Via Orabona 4, 70126 Bari, Italy

³Dipartimento di Matematica e Fisica “Ennio De Giorgi”, Via Arnesano, 73100 Lecce, Italy

⁴Istituto Nazionale di Fisica Nucleare, Sezione di Lecce, Via Arnesano, 73100 Lecce, Italy

⁵Cluster of Excellence, Origin and Structure of the Universe, Technische Universität München,

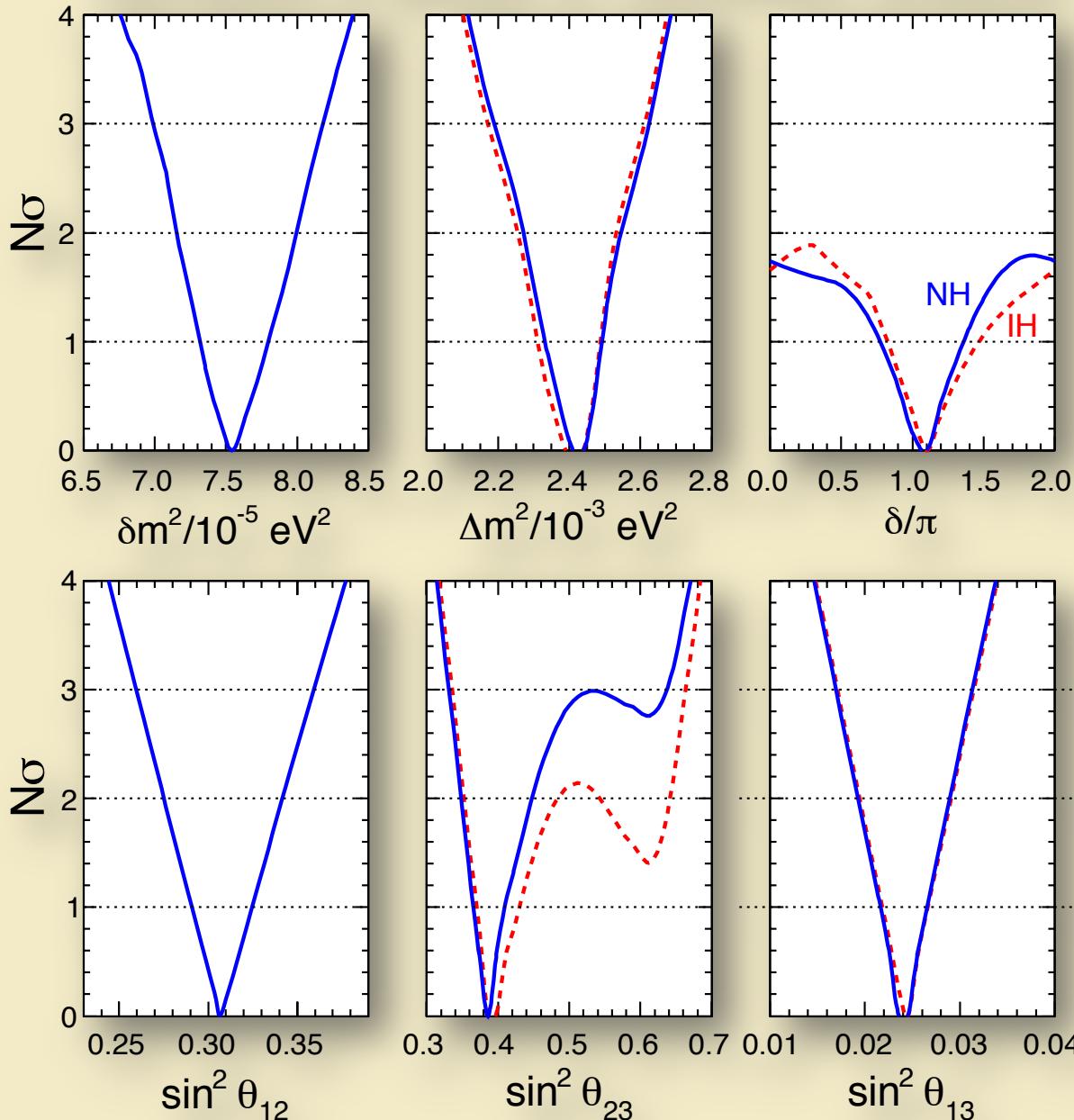
Boltzmannstraße 2, D-85748 Garching, Germany

(Received 30 May 2012; published 23 July 2012)

We perform a global analysis of neutrino oscillation data, including high-precision measurements of the neutrino mixing angle θ_{13} at reactor experiments, which have confirmed previous indications in favor of $\theta_{13} > 0$. Recent data presented at the *Neutrino 2012* conference are also included. We focus on the correlations between θ_{13} and the mixing angle θ_{23} , as well as between θ_{13} and the neutrino CP -violation phase δ . We find interesting indications for $\theta_{23} < \pi/4$ and possible hints for $\delta \sim \pi$, with no significant difference between normal and inverted mass hierarchy.

Individual oscillation parameters from ALL data

Synopsis of global 3ν oscillation analysis



Previous hints of $\theta_{13} > 0$ are now **measurements!**
(and basically independent of absolute reactor fluxes)

Some hints of $\theta_{23} < \pi/4$ are emerging at $\sim 2\sigma$, worth exploring by means of atm. and LBL+reac. data

A weak hint of $\delta_{CP} \sim \pi$ emerging from atm. data
[Is the PMNS matrix real?]

So far, **no hints** for NH \longleftrightarrow IH

Numerical 1σ , 2σ , 3σ ranges:

TABLE I: Results of the global 3ν oscillation analysis, in terms of best-fit values and allowed 1 , 2 and 3σ ranges for the 3ν mass-mixing parameters. We remind that Δm^2 is defined herein as $m_3^2 - (m_1^2 + m_2^2)/2$, with $+\Delta m^2$ for NH and $-\Delta m^2$ for IH.

Parameter	Best fit	1σ range	2σ range	3σ range
$\delta m^2/10^{-5} \text{ eV}^2$ (NH or IH)	7.54	7.32 – 7.80	7.15 – 8.00	6.99 – 8.18
$\sin^2 \theta_{12}/10^{-1}$ (NH or IH)	3.07	2.91 – 3.25	2.75 – 3.42	2.59 – 3.59
$\Delta m^2/10^{-3} \text{ eV}^2$ (NH)	2.43	2.33 – 2.49	2.27 – 2.55	2.19 – 2.62
$\Delta m^2/10^{-3} \text{ eV}^2$ (IH)	2.42	2.31 – 2.49	2.26 – 2.53	2.17 – 2.61
$\sin^2 \theta_{13}/10^{-2}$ (NH)	2.41	2.16 – 2.66	1.93 – 2.90	1.69 – 3.13
$\sin^2 \theta_{13}/10^{-2}$ (IH)	2.44	2.19 – 2.67	1.94 – 2.91	1.71 – 3.15
$\sin^2 \theta_{23}/10^{-1}$ (NH)	3.86	3.65 – 4.10	3.48 – 4.48	3.31 – 6.37
$\sin^2 \theta_{23}/10^{-1}$ (IH)	3.92	3.70 – 4.31	$3.53 – 4.84 \oplus 5.43 – 6.41$	3.35 – 6.63
δ/π (NH)	1.08	0.77 – 1.36	—	—
δ/π (IH)	1.09	0.83 – 1.47	—	—

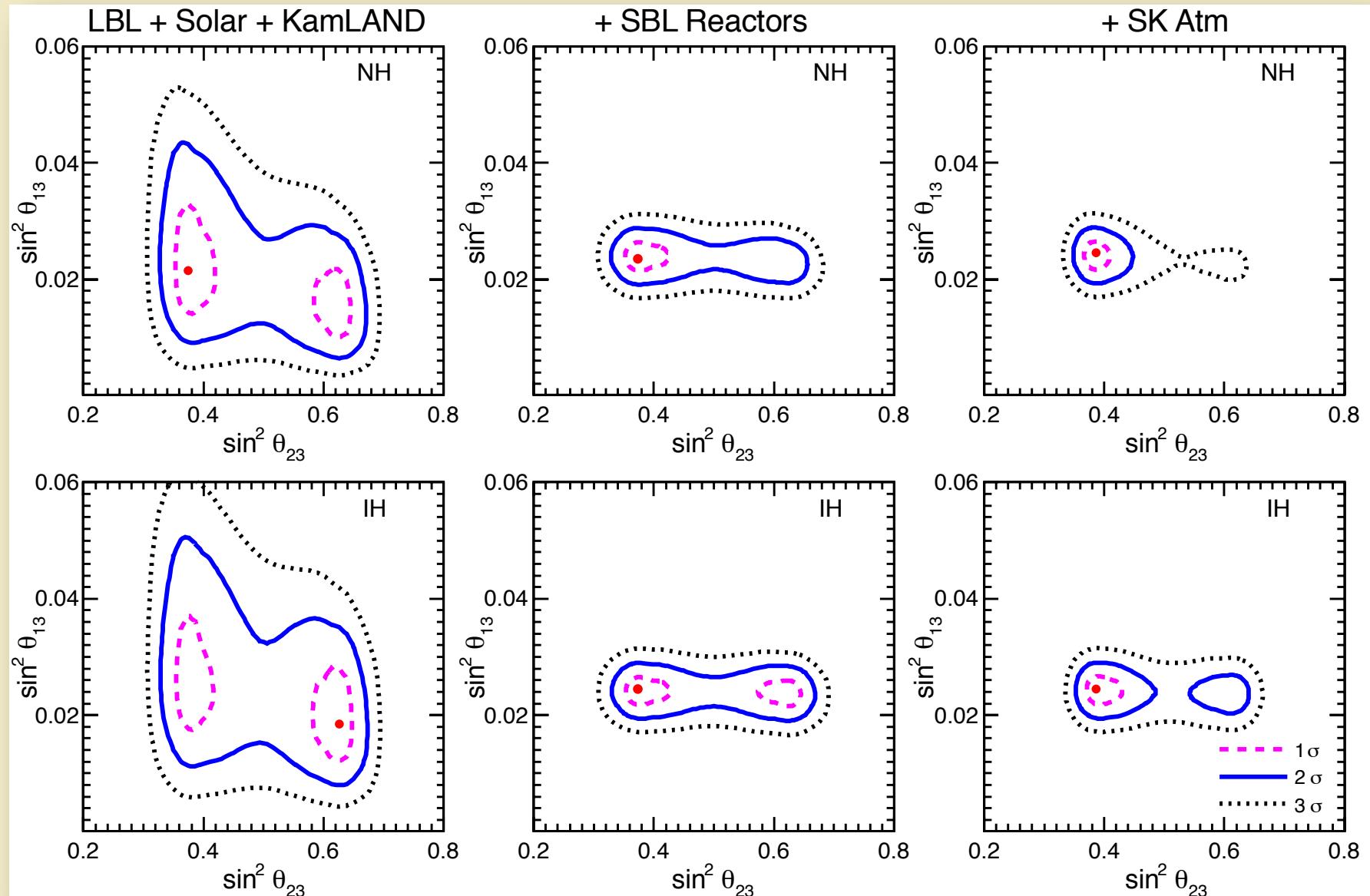
Fractional 1σ accuracy [defined as $1/6$ of $\pm 3\sigma$ range]

δm^2	Δm^2	$\sin^2 \theta_{12}$	$\sin^2 \theta_{13}$	$\sin^2 \theta_{23}$
2.6%	3.0%	5.4%	10%	14%

Hierarchy differences well below 1σ for various data combinations

Putting all together

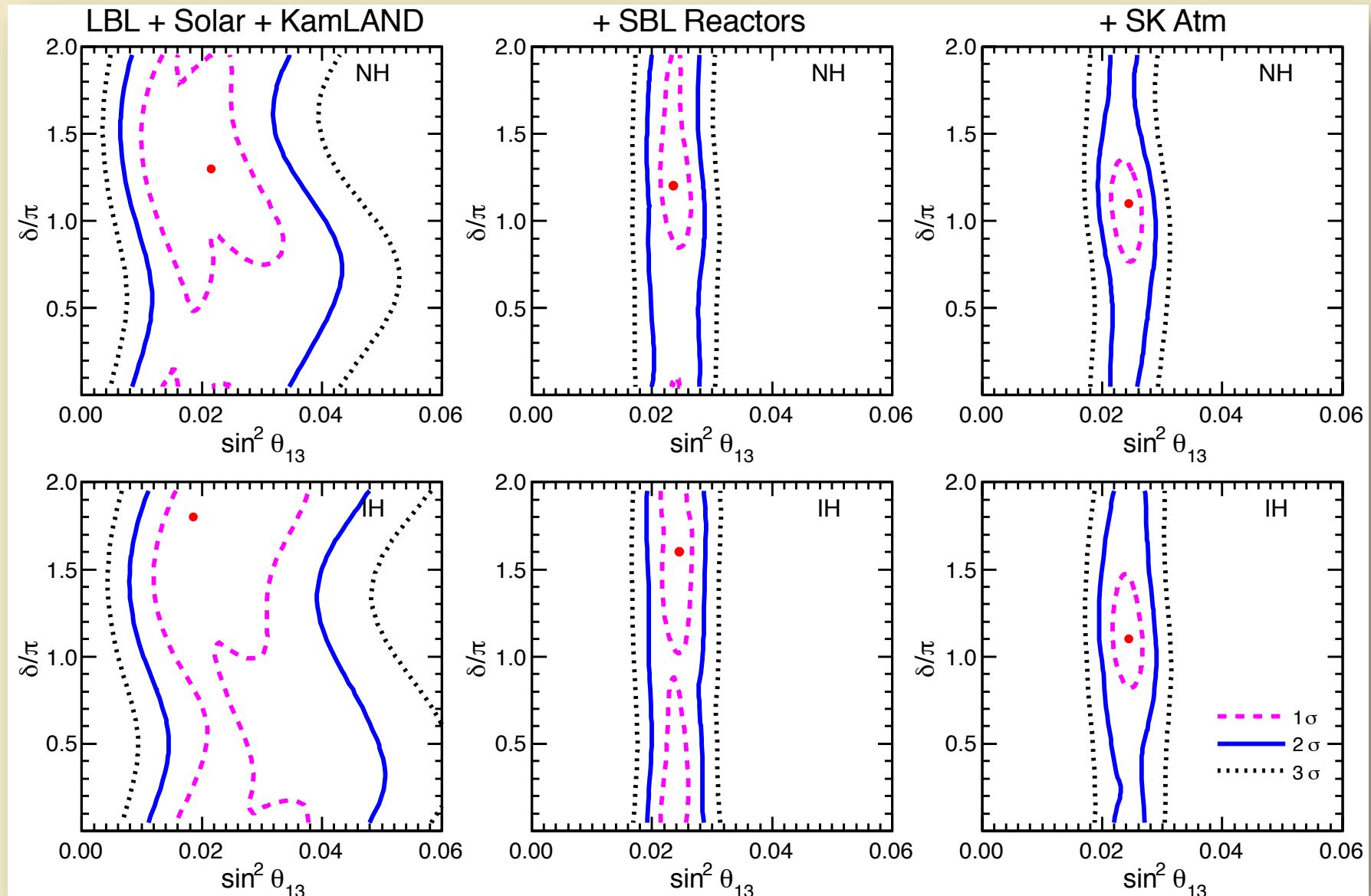
Adding 2012 SK atmospheric neutrino data:



Further hints for θ_{23} in 1st octant. But no significant hierarchy discrimination

Putting all together

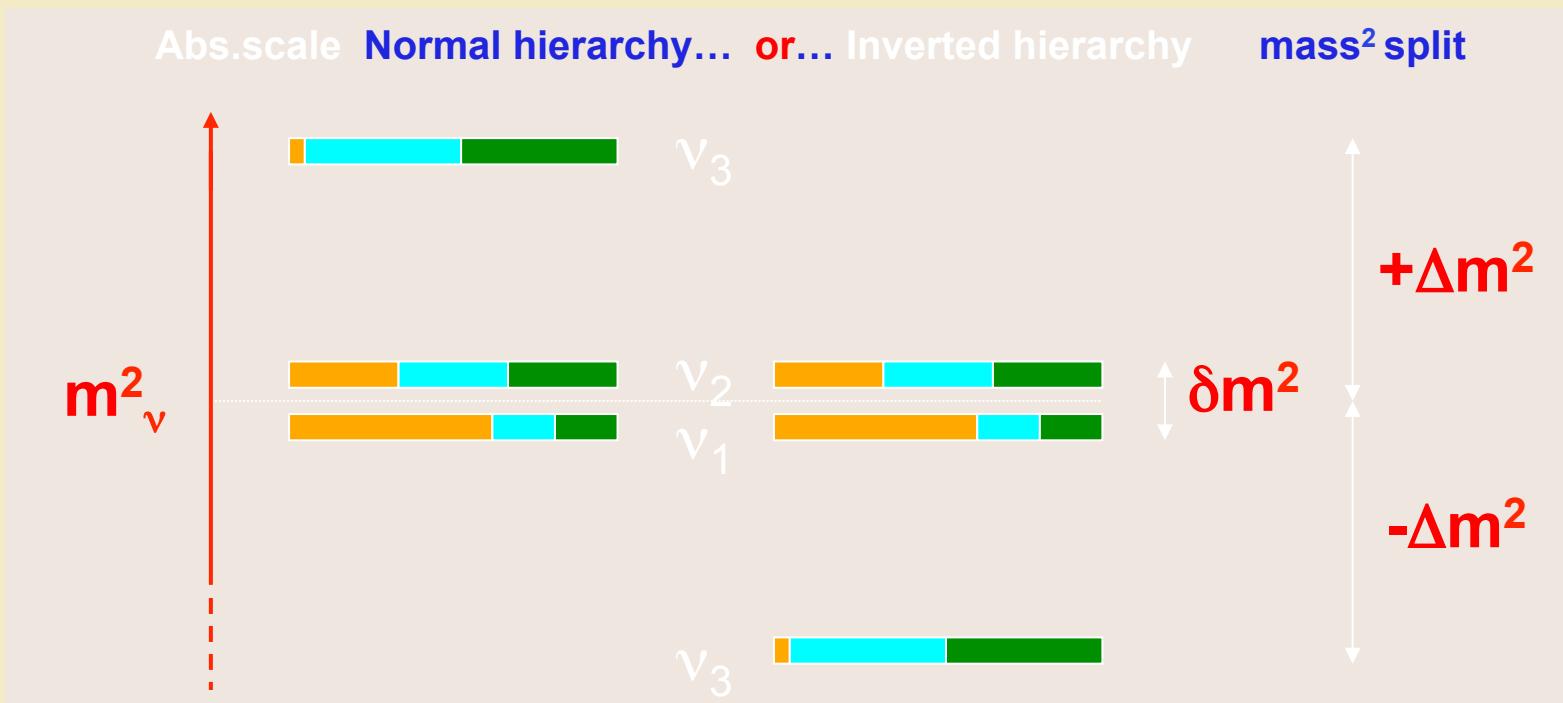
Adding 2012 SK atmospheric neutrino data:



We find a preference for $\delta \sim \pi$ (helps fitting sub-GeV e-like excess in SK)

Putting all together

Flavors = $e \mu \tau$



Knowns:

$$\delta m^2 \sim 8 \times 10^{-5} \text{ eV}^2$$

$$\Delta m^2 \sim 2 \times 10^{-3} \text{ eV}^2$$

$$\sin^2 \theta_{12} \sim 0.3$$

$$\sin^2 \theta_{23} \sim 0.5$$

$$\sin^2 \theta_{13} \sim 0.02$$

Unknowns:

δ (CP)

sign(Δm^2)

octant($\sin^2 \theta_{23}$)

absolute mass scale

Dirac/Majorana nature